

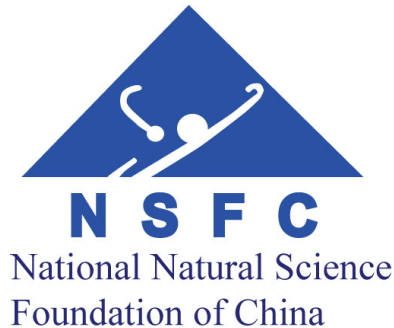
BEHAVIORAL MODELING IN SOCIAL NETWORKS FROM MICRO TO MACRO

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Outline

- ❖ **Prediction for natural behavior**
 - ❖ **Modeling individual behavior (MICRO)**
 - ❖ Modeling information cascade (MACRO)
- ❖ Detection for unnatural behavior
 - ❖ Suspicious behavior detection

Questions for Modeling Individual Behavior

- ❖ What is individual behavior in social networks?
- ❖ Why should we study individual behavior?
- ❖ What are the state-of-the-art models?
 - ❖ Modeling behaviors and social relations
 - ❖ Modeling social contexts
 - ❖ Modeling spatiotemporal contexts
 - ❖ Modeling multiple domains in social networks

Individual Behavior: Facebook

❖ Post: What's on your mind?

 Update Status |  Add Photos/Video |  Create Photo Album

 What's on your mind?

 Public ▼ 

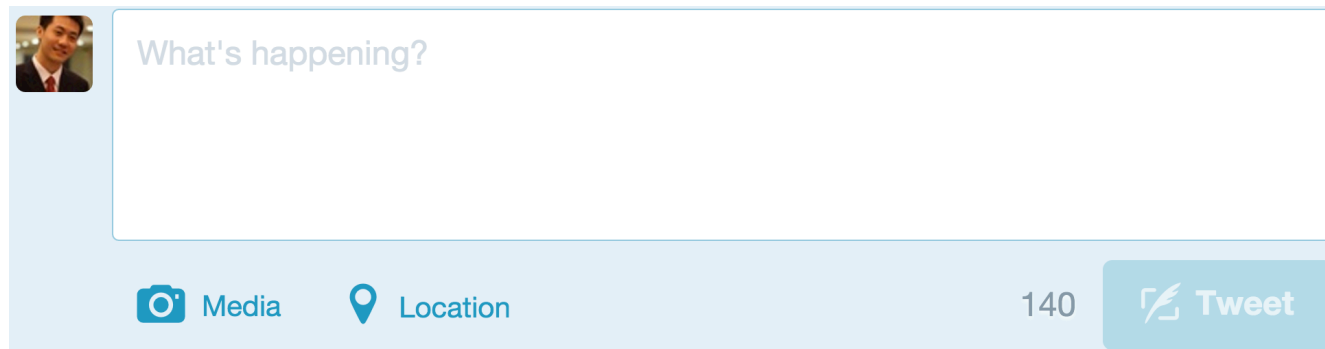
❖ Like, Comment, Share

132 Likes 20 Comments

 Like  Comment  Share

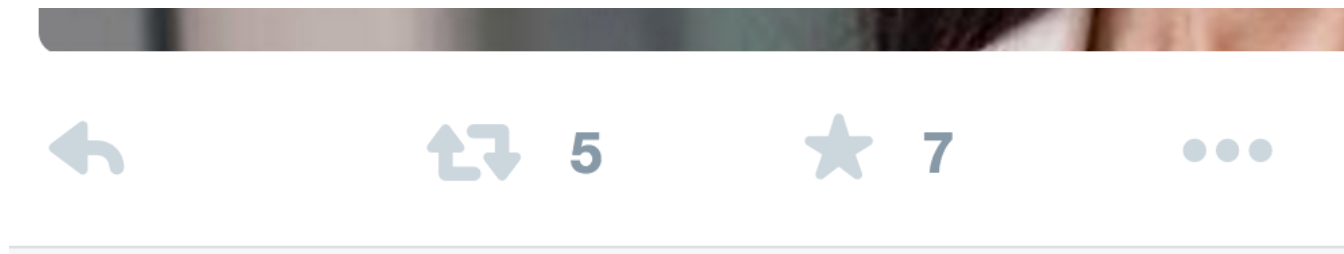
Individual Behavior: Twitter

❖ Tweet: What's happening?



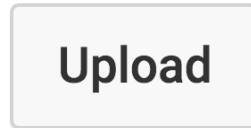
A screenshot of the Twitter 'What's happening?' tweet composition interface. It features a user profile picture on the left, a large text input area with the placeholder 'What's happening?', and a bottom bar with icons for adding media, location, and a character count of 140. A 'Tweet' button is on the right.

❖ Reply, Retweet, Favorite

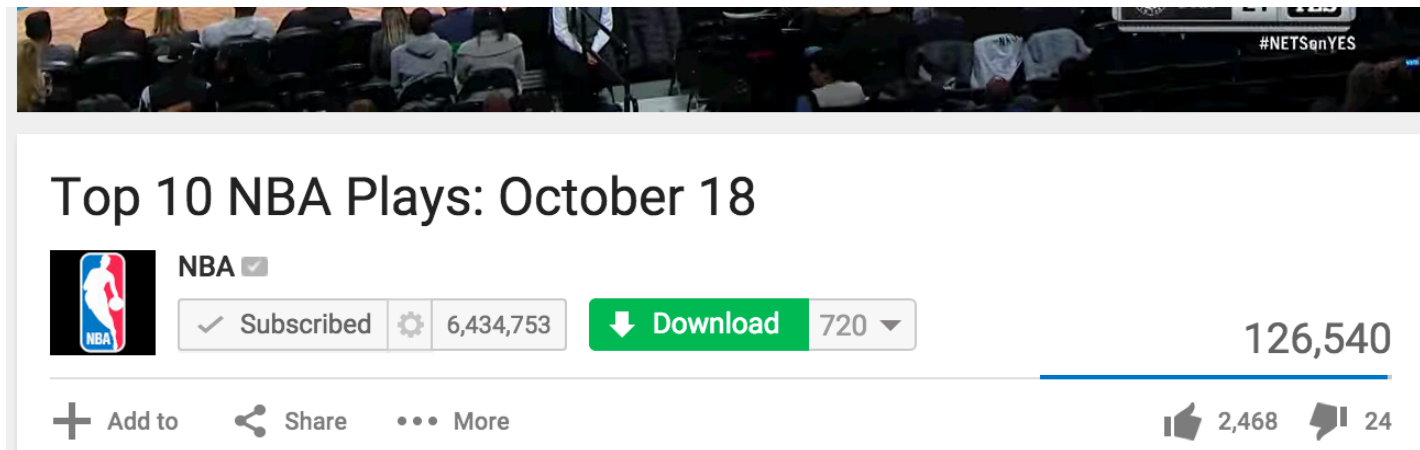


Individual Behavior: YouTube

❖ Upload

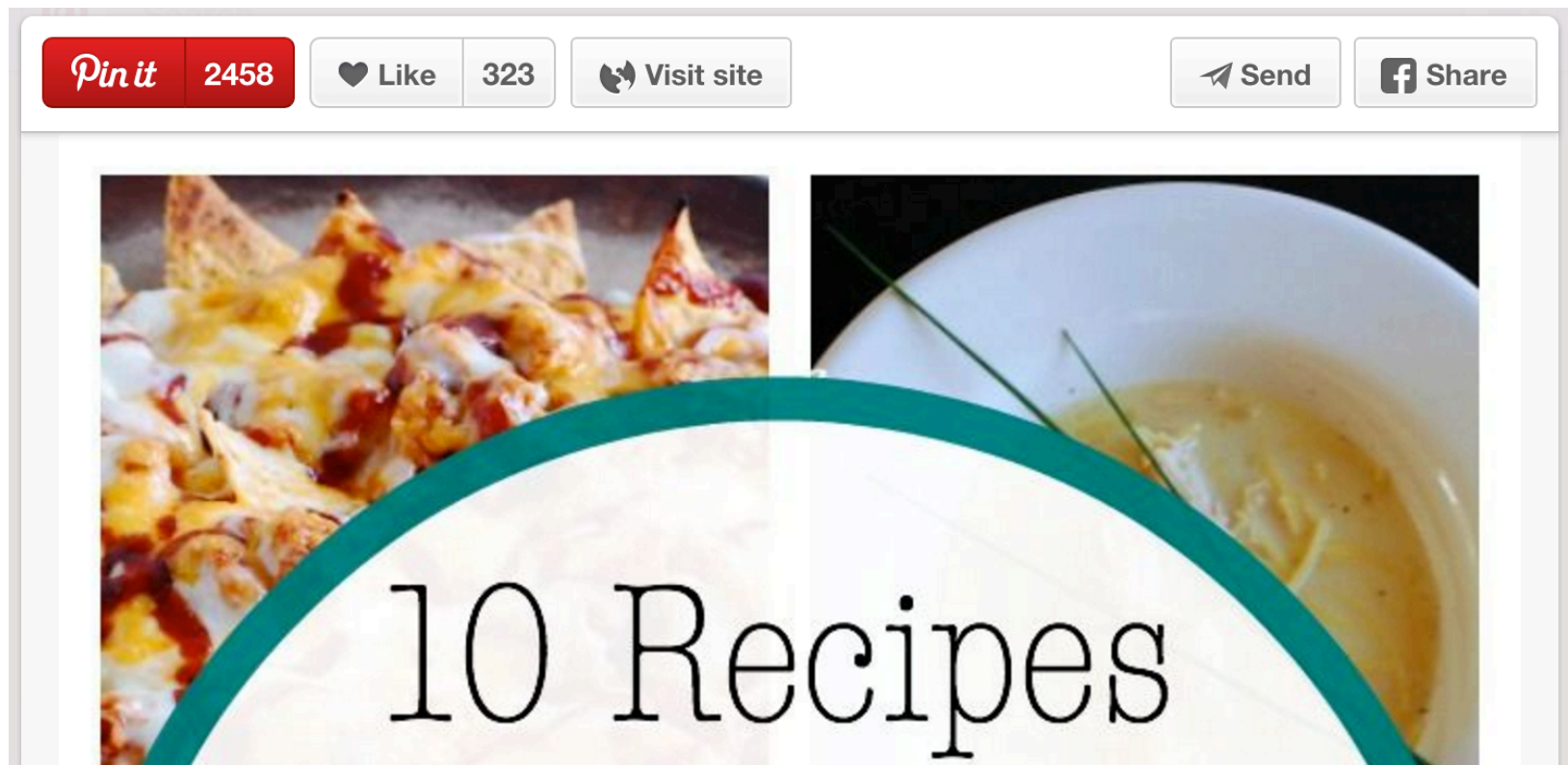


❖ Subscribe, Download, Add to, Share, Like, Dislike, Comment



Individual Behavior: Pinterest

❖ Pin it, Like, Visit, Send, Share



“Information Adoption” in Social Networks



*Like
Reply
Share
Favorite
Retweet
Comment
Subscribe
Download
Add to
Send
Pin it
Visit
.....*

Modeling Information Adoption Behavior

- ❖ Behavioral pattern discovery
- ❖ Behavior prediction in social networks
- ❖ Social recommendation

What is Social Recommendation?

Facebook

Huan Liu shared a link.
17 hrs · 🌐



Your Child Is Not Special
We have two choices of when our children can fail: now or later. Now, they are still in a safe environment with people willing to help them succeed. Later, it will be in the context of the workplace or with their...
RUFFINGTONPOST.COM

Like Comment Share

2 people like this.

Write a comment...

Huan Liu and Jiliang Tang like Southwest Airlines.

Southwest Airlines
Sponsored · 🌐

Since some of the other airlines charge you to print your boarding pass, "Find a guy." Or fly Southwest® where #FeesDontFly.

Low fares. Nothing to hide. That's Transferency.



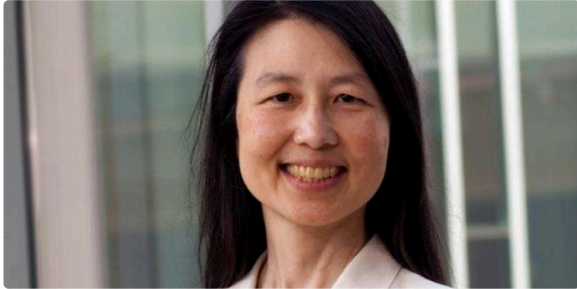
Fee Hacker Tip #6
See more fee hacks
SOUTHWEST.COM [Learn More](#)

67k Views
24 Likes 2 Comments

Like Comment Share

Twitter

Microsoft Research @MSFTResearch · 3h
.@MSFTResearch Labs leader Jeannette Wing on why @Microsoft cares about basic research blogs.technet.com/b/inside_micro...



Retweet 6 Like 8

Carnegie Mellon Retweeted

CNBC's Closing Bell @CNBCClosingBell · 5h
.@Kelly_Evans goes behind the wheel of @CarnegieMellon's autonomous car.
#TheSpark video.cnbc.com/gallery/?video...

Retweet 4 Like 5 [View summary](#)

Carnegie Mellon @CarnegieMellon · 4h
A team including CMU faculty is working to protect America's power grid from cyber attacks. cmu.li/TA8VO



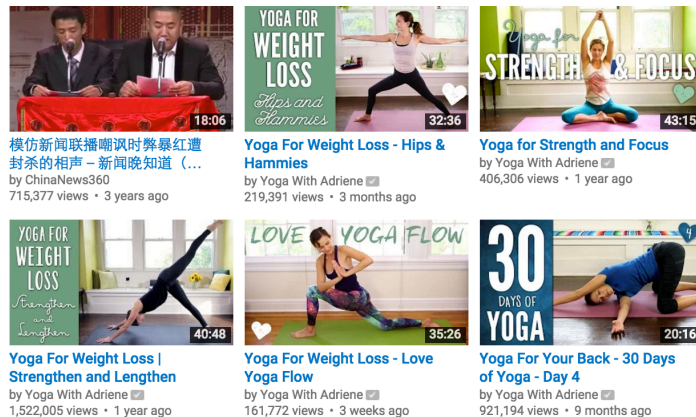
Retweet 5 Like 1

News Feed Ranking

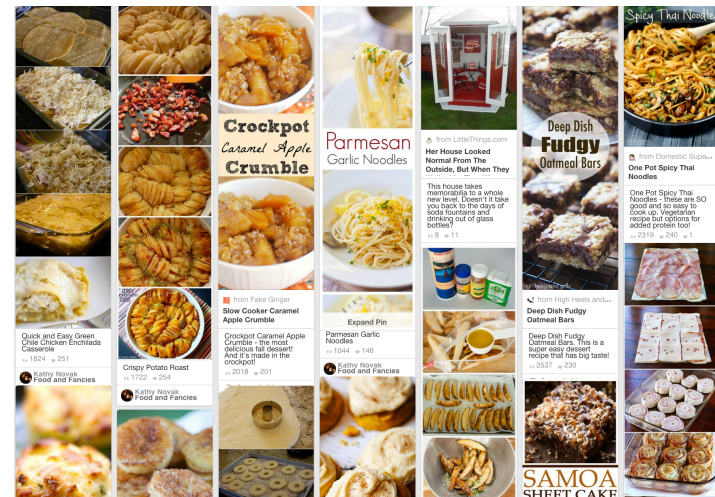
What is Social Recommendation?

YouTube

Recommended



Pinterest



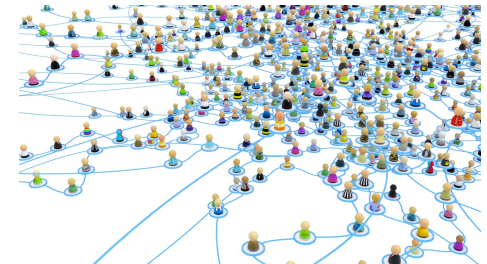
Social Multimedia Recommender Systems

What is Social Recommendation?

- ❖ “Social recommendation ..., however, it has *no commonly accepted definition*.”

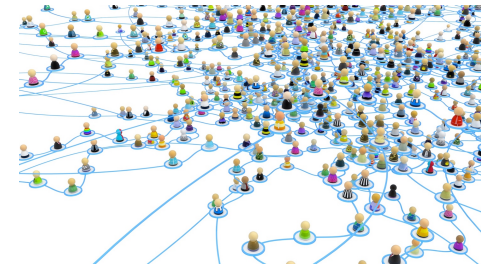
What is Social Recommendation?

- ❖ “Social recommendation ..., however, it has *no commonly accepted definition*.”
- ❖ “A narrow definition of social recommendation is *any recommendation with online social relations as an additional input*, i.e., augmenting an existing recommendation engine with *additional social signals*.”



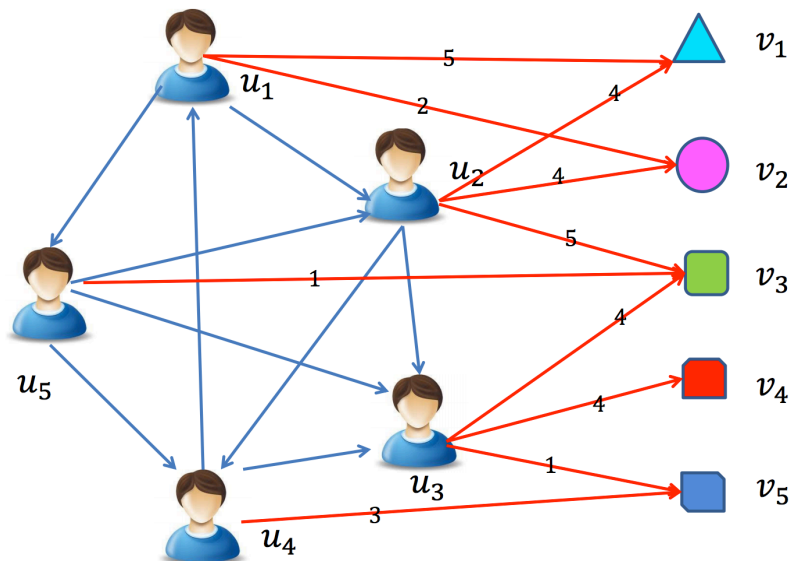
What is Social Recommendation?

- ❖ “Social recommendation ..., however, it has *no commonly accepted definition*.”
- ❖ “A narrow definition of social recommendation is *any recommendation with online social relations as an additional input*, i.e., augmenting an existing recommendation engine with *additional social signals*.”
- ❖ “Users’ preferences are likely to be similar to or influenced by their connected friends. ..., social recommendation *leverages user correlations implied social relations* to improve the performance of recommendation.”



Traditional Recommender Systems

❖ Assumed that users are independent and identically distributed



	v_1	v_2	v_3	v_4	v_5
u_1	5	?	2	?	?
u_2	4	4	5	?	?
u_3	?	?	4	4	1
u_4	?	?	?	?	3
u_5	?	?	1	?	?

Traditional Recommender Systems

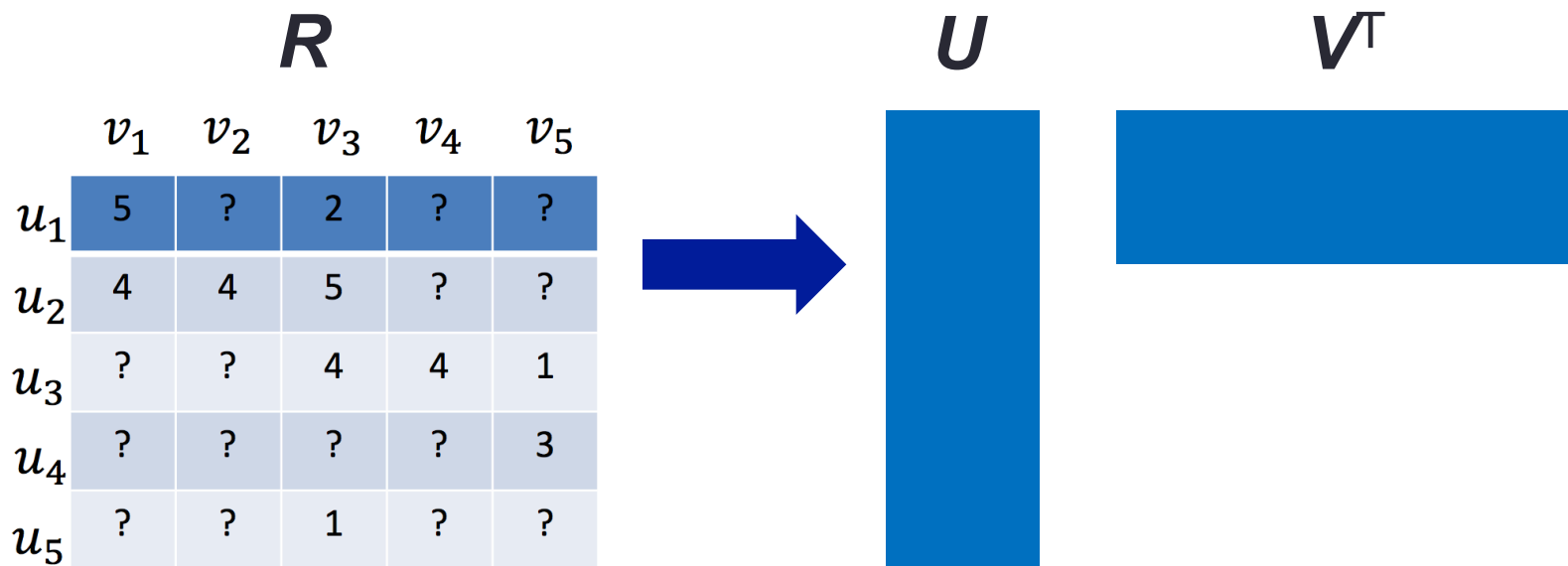
- ❖ Content-based recommender (e.g., TFIDF)
 - ❖ For textual information (e.g., news, documents)
 - ❖ *Limitation: limited content analysis, over-specialization*

Traditional Recommender Systems

- ❖ **Content-based** recommender (e.g., TFIDF)
 - ❖ For textual information (e.g., news, documents)
 - ❖ *Limitation: limited content analysis, over-specialization*
- ❖ **Collaborative filtering** based recommender
 - ❖ Memory-based CF (e.g., PCC, similarity)
 - ❖ Model-based CF (e.g., factorization based)
 - ❖ *Limitation: data sparsity, cold-start problem*
- ❖ **Hybrid** recommender system

Matrix Factorization based CF (MF)

- ❖ Low-rank MF on the user-item rating matrix R
- ❖ User preference vector U
- ❖ Item characteristic vector V



Matrix Factorization based CF (MF)

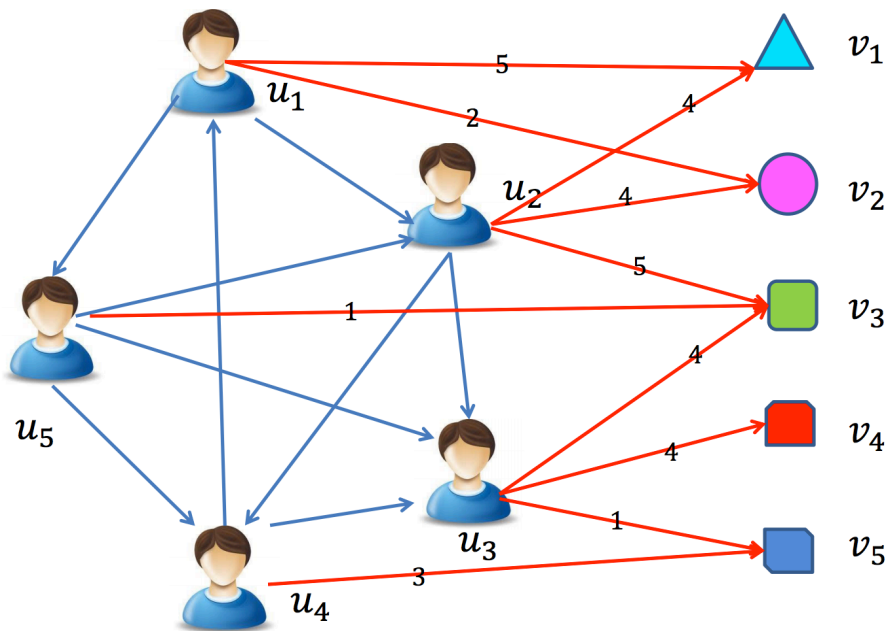
- ❖ Low-rank MF on the user-item rating matrix $\mathbf{R}$
- ❖ User preference vector $\mathbf{U}$
- ❖ Item characteristic vector $\mathbf{V}$
- ❖ Observed weight matrix $\mathbf{W}$

$$\min_{\mathbf{U}, \mathbf{V}} \sum_{i=1}^n \sum_{j=1}^m \mathbf{W}_{ij} (\mathbf{R}_{ij} - \mathbf{U}_i \mathbf{V}_j^\top)^2 + \alpha (\|\mathbf{U}\|_F^2 + \|\mathbf{V}\|_F^2)$$

avoid **over-fitting**,
controlled by the **parameter**

Social Recommendation

Social relations



	u_1	u_2	u_3	u_4	u_5
u_1	0	1	0	0	1
u_2	0	0	1	1	0
u_3	0	0	0	0	0
u_4	1	0	1	0	0
u_5	0	1	1	1	0

	v_1	v_2	v_3	v_4	v_5
u_1	5	?	2	?	?
u_2	4	4	5	?	?
u_3	?	?	4	4	1
u_4	?	?	?	?	3
u_5	?	?	1	?	?

Memory based Social Recommender

❖ TidalTrust

The diagram illustrates the TidalTrust formula for calculating a rating r_{sm} for user s and item m . The formula is:

$$r_{sm} = \frac{\sum_{i \in S} t_{si} r_{im}}{\sum_{i \in S} t_{si}}$$

Annotations with red arrows explain the components:

- r_{sm} : rating (user s , item m)
- t_{si} : trust from social relation (user s , user i)
- r_{im} : rating (user i , item m)

Memory based Social Recommender

❖ MoleTrust

$$p_{a,i} = \bar{r}_a + \frac{\sum_{u=1}^k w_{a,u} (r_{u,i} - \bar{r}_u)}{\sum_{u=1}^k w_{a,u}}$$

Diagram illustrating the MoleTrust formula with annotations:

- $\bar{r}_a$: average rating (user a)
- $r_{u,i}$: rating (user u , item i)
- $\bar{r}_u$: average rating (user u)
- $w_{a,u}$: trust from social relation (user a , user u)
- $p_{a,i}$: predicted rating (user a , item i)

Memory based Social Recommender

❖ TrustWalker

probability of user u 's random walk from item i to item j

$$P(Y_{u,i} = j) = \frac{\text{sim}(i, j)}{\sum_{l \in RI_u} \text{sim}(i, l)}$$

similarity measure (item i , item j)

Pearson correlation of (item i , item j)

$$\text{sim}(i, j) = \frac{1}{1 + e^{-\frac{|UC_{i,j}|}{2}}} \times \text{corr}(i, j)$$

common user set of (item i , item j)

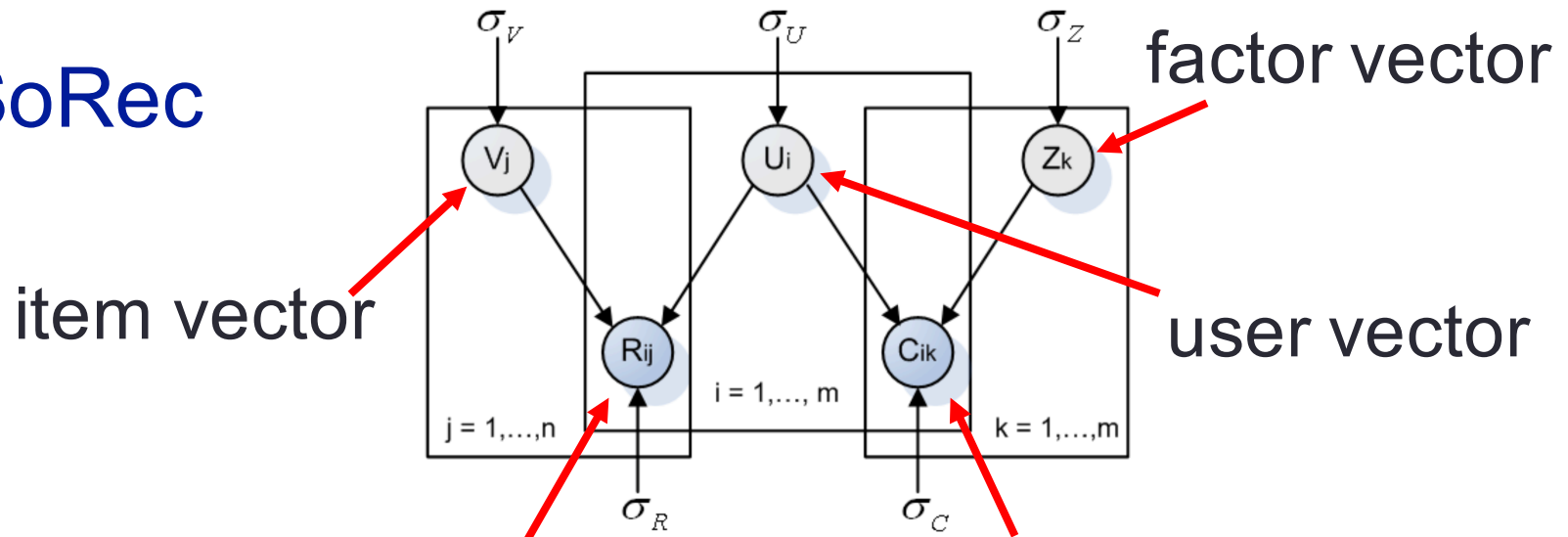
Model based Social Recommender

- ❖ Optimization methods such as gradient based methods can be applied to find a well-worked **optimal solution**.
- ❖ MF has a nice **probabilistic interpretation** with Gaussian noise.
- ❖ MF is very **flexible** and allows us to **include prior knowledge**.

$$\begin{aligned} & \textit{Social Recommendation CF} \\ &= \textit{Basic CF} + \textit{Social Information Model} \end{aligned}$$

Model based Social Recommender

❖ SoRec



R : user-item
rating matrix

	v_1	v_2	v_3	v_4	v_5
u_1	5	?	2	?	?
u_2	4	4	5	?	?
u_3	?	?	4	4	1
u_4	?	?	?	?	3
u_5	?	?	1	?	?

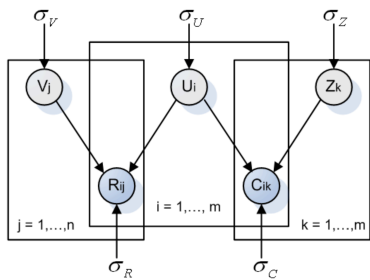
C : user-user
social matrix

	u_1	u_2	u_3	u_4	u_5
u_1	0	1	0	0	1
u_2	0	0	1	1	0
u_3	0	0	0	0	0
u_4	1	0	1	0	0
u_5	0	1	1	1	0

Model based Social Recommender

❖ SoRec

$$p(\cancel{C}|U, V, \sigma_R^2) = \prod_{i=1}^m \prod_{j=1}^n \mathcal{N} \left[\left(r_{ij} | g(U_i^T V_j), \sigma_R^2 \right) \right]^{I_{ij}^R}$$



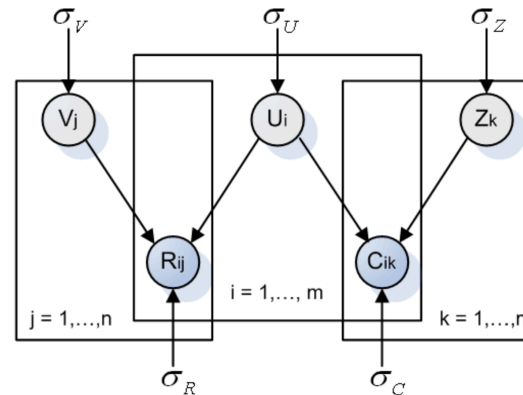
Gaussian distribution

Logistic function Observed

$$p(C|U, Z, \sigma_C^2) = \prod_{i=1}^m \prod_{k=1}^m \mathcal{N} \left[\left(c_{ik} | g(U_i^T Z_k), \sigma_C^2 \right) \right]^{I_{ik}^C}$$

Model based Social Recommender

❖ SoRec



behavioral term

$\mathcal{L}(R, C, U, V, Z) =$

$$\frac{1}{2} \sum_{i=1}^m \sum_{j=1}^n I_{ij}^R (r_{ij} - g(U_i^T V_j))^2 + \frac{\lambda_C}{2} \sum_{i=1}^m \sum_{k=1}^m I_{ik}^C (c_{ik}^* - g(U_i^T Z_k))^2$$

$$+ \frac{\lambda_U}{2} \|U\|_F^2 + \frac{\lambda_V}{2} \|V\|_F^2 + \frac{\lambda_Z}{2} \|Z\|_F^2, \quad (9)$$

social term

regularization terms

Model based Social Recommender

❖ SoRec

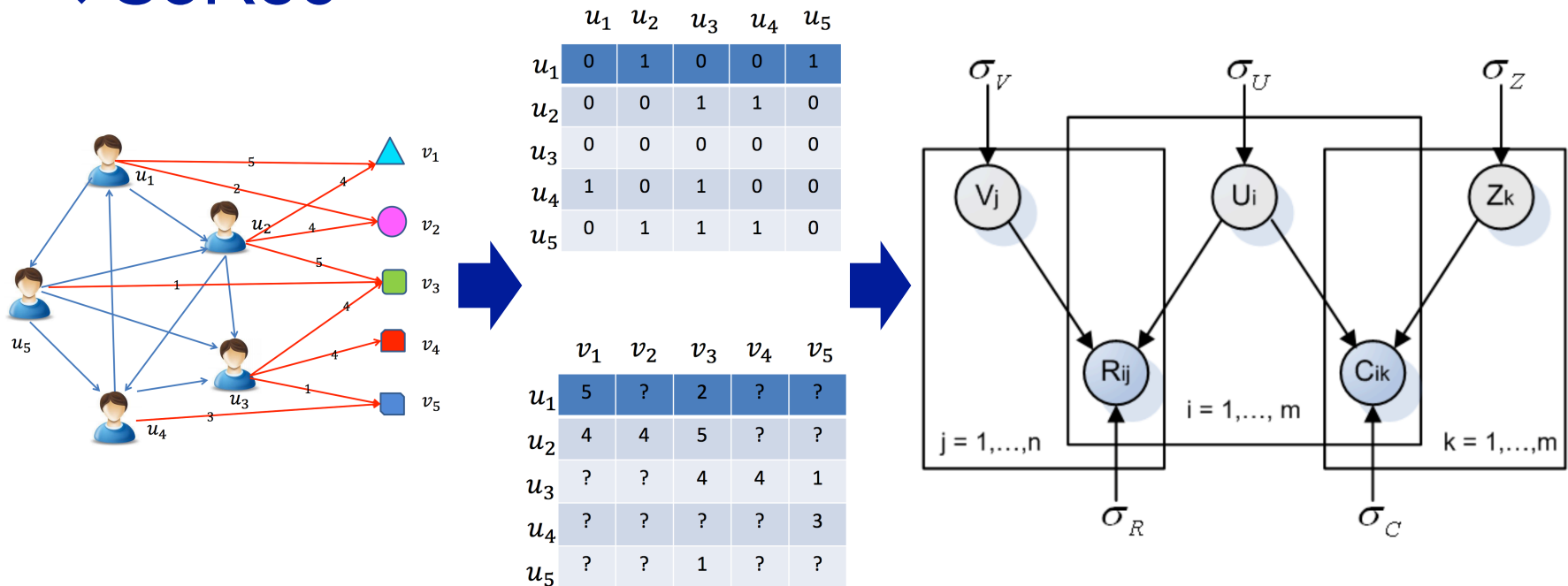
Gradient Descent Methods

$$\begin{aligned}
 \frac{\partial \mathcal{L}}{\partial U_i} &= \sum_{j=1}^n \underline{I_{ij}^R g'(U_i^T V_j) (g(U_i^T V_j) - r_{ij}) V_j} \\
 &\quad + \lambda_C \sum_{j=1}^m \underline{I_{ik}^C g'(U_i^T Z_k) (g(U_i^T Z_k) - c_{ik}^*) Z_k} + \lambda_U U_i, \\
 \frac{\partial \mathcal{L}}{\partial V_j} &= \sum_{i=1}^m \underline{I_{ij}^R g'(U_i^T V_j) (g(U_i^T V_j) - r_{ij}) U_i} + \lambda_V V_j, \\
 \frac{\partial \mathcal{L}}{\partial Z_k} &= \lambda_C \sum_{i=1}^m \underline{I_{ik}^C g'(U_i^T Z_k) (g(U_i^T Z_k) - c_{ik}^*) U_i} + \lambda_Z Z_k, (10)
 \end{aligned}$$

deviate of
Logistic
function

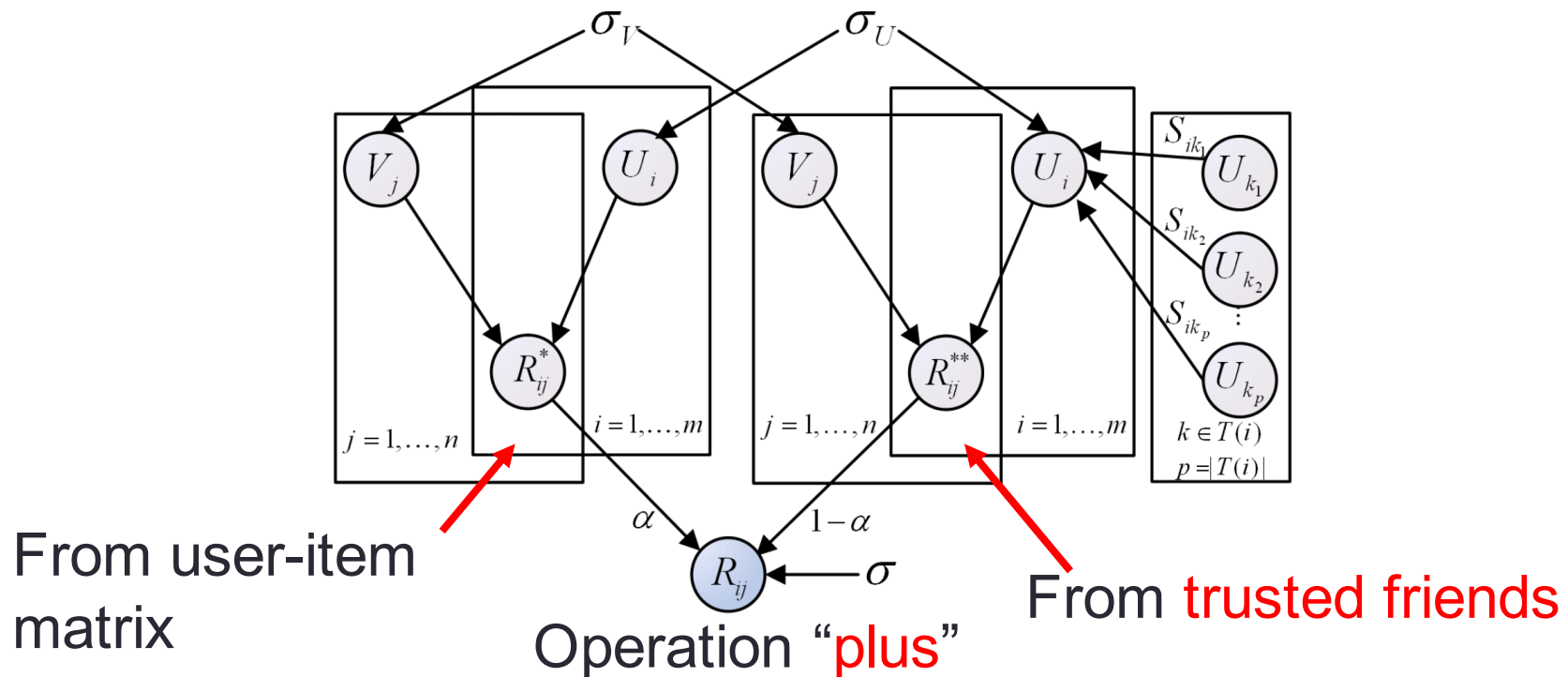
Model based Social Recommender

❖ SoRec



Model based Social Recommender

- ❖ Replacing social with trust
- ❖ “Social Trust” Ensemble for Epinion data



Model based Social Recommender

❖ “Social Trust” Ensemble

From user-item matrix

From trusted friends

$$\begin{aligned}
 \mathcal{L}(R, S, U, V) &= \frac{1}{2} \sum_{i=1}^m \sum_{j=1}^n I_{ij}^R (R_{ij} - g(\underbrace{\alpha U_i^T V_j}_{\text{From user-item matrix}} + \underbrace{(1 - \alpha) \sum_{k \in \mathcal{T}(i)} S_{ik} U_k^T V_j}_{\text{From trusted friends}}))^2 \\
 &+ \frac{\lambda_U}{2} \|U\|_F^2 + \frac{\lambda_V}{2} \|V\|_F^2,
 \end{aligned} \tag{13}$$

Model based Social Recommender

❖ “Social Trust” Ensemble

*Gradient
Descent
Methods*

$$\begin{aligned}
 \frac{\partial \mathcal{L}}{\partial U_i} &= \alpha \sum_{j=1}^n I_{ij}^R g'(\alpha U_i^T V_j + (1 - \alpha) \sum_{k \in \mathcal{T}(i)} S_{ik} U_k^T V_j) V_j \\
 &\quad \times (g(\alpha U_i^T V_j + (1 - \alpha) \sum_{k \in \mathcal{T}(i)} S_{ik} U_k^T V_j) - R_{ij}) \\
 &\quad + (1 - \alpha) \sum_{p \in \mathcal{B}(i)} \sum_{j=1}^n I_{pj}^R g'(\alpha U_p^T V_j + (1 - \alpha) \sum_{k \in \mathcal{T}(p)} S_{pk} U_k^T V_j) \\
 &\quad \times (g(\alpha U_p^T V_j + (1 - \alpha) \sum_{k \in \mathcal{T}(p)} S_{pk} U_k^T V_j) - R_{pj}) S_{pi} V_j + \lambda_U U_i, \\
 \frac{\partial \mathcal{L}}{\partial V_j} &= \sum_{i=1}^m I_{ij}^R g'(\alpha U_i^T V_j + (1 - \alpha) \sum_{k \in \mathcal{T}(i)} S_{ik} U_k^T V_j) \\
 &\quad \times (g(\alpha U_i^T V_j + (1 - \alpha) \sum_{k \in \mathcal{T}(i)} S_{ik} U_k^T V_j) - R_{ij}) \\
 &\quad \times (\alpha U_i + (1 - \alpha) \sum_{k \in \mathcal{T}(i)} S_{ik} U_k^T) + \lambda_V V_j, \tag{14}
 \end{aligned}$$

Model based Social Recommender

❖ SoReg

Average-based regularization:

Regularize with the average of friends' tastes

$$\begin{aligned}
 \min_{U, V} \mathcal{L}_1(R, U, V) = & \frac{1}{2} \sum_{i=1}^m \sum_{j=1}^n I_{ij} (R_{ij} - U_i^T V_j)^2 \\
 & + \frac{\alpha}{2} \sum_{i=1}^m \left\| U_i - \frac{\sum_{f \in \mathcal{F}^+(i)} \text{Sim}(i, f) \times U_f}{\sum_{f \in \mathcal{F}^+(i)} \text{Sim}(i, f)} \right\|_F^2, \\
 & + \frac{\lambda_1}{2} \|U\|_F^2 + \frac{\lambda_2}{2} \|V\|_F^2.
 \end{aligned} \tag{8}$$

Information loss: Friends may have diverse tastes!!!

Model based Social Recommender

❖ SoReg

Individual-based regularization:
Regularize with friends individually

$$\begin{aligned}
 \min_{U, V} \mathcal{L}_2(R, U, V) &= \frac{1}{2} \sum_{i=1}^m \sum_{j=1}^n I_{ij} (R_{ij} - U_i^T V_j)^2 \\
 &+ \frac{\beta}{2} \sum_{i=1}^m \sum_{f \in \mathcal{F}^+(i)} Sim(i, f) \|U_i - U_f\|_F^2 \\
 &+ \lambda_1 \|U\|_F^2 + \lambda_2 \|V\|_F^2.
 \end{aligned} \tag{11}$$


Social Recommenders Before 2012

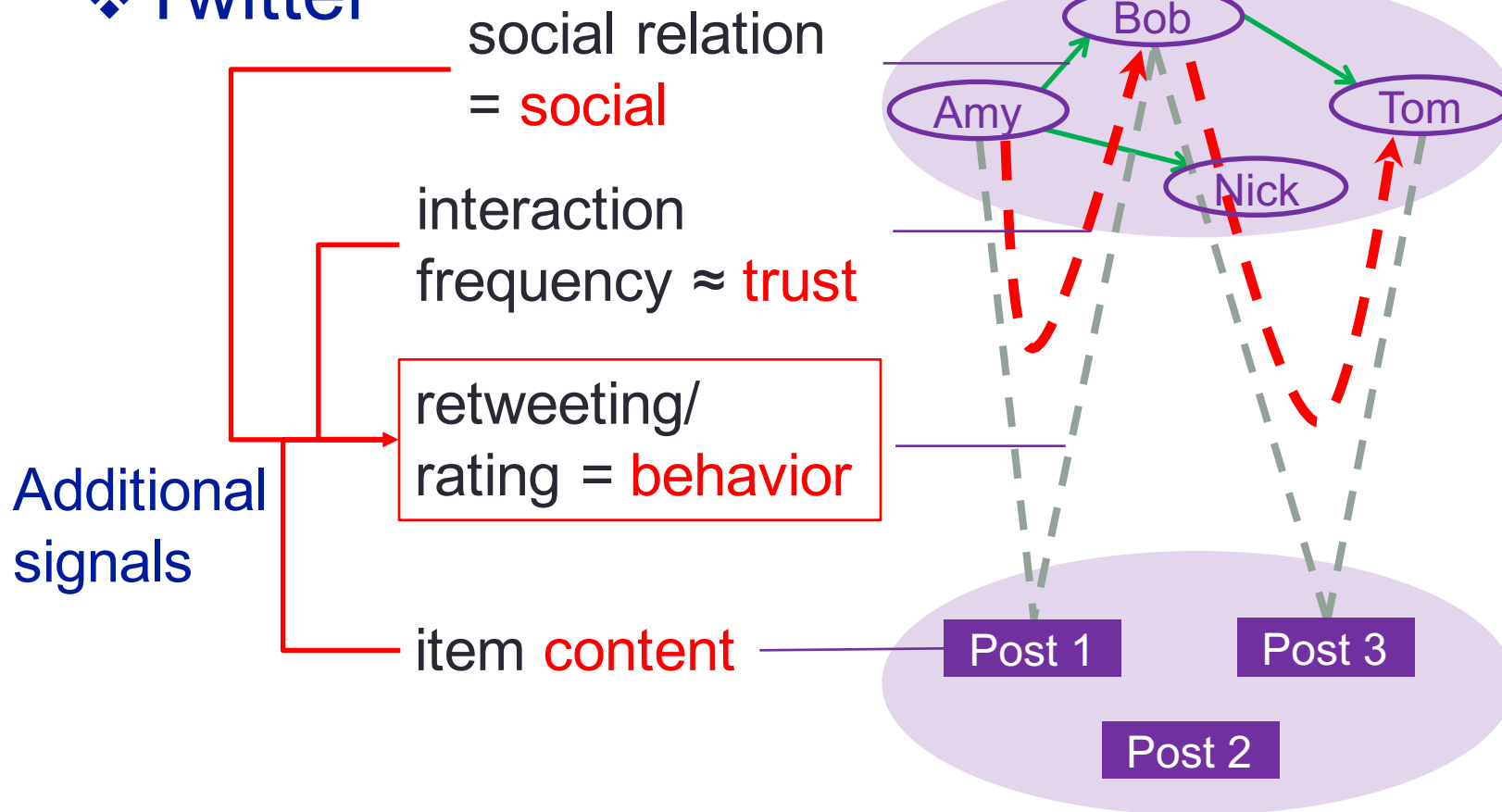
	Behavior	Social	Trust
<i>SoRec [CIKM'08, TIS'11]</i>	✓	✓	
<i>“Social Trust” Ensemble [SIGIR'09, TIST'11]</i>	✓		✓
<i>SoReg [WSDM'11]</i>	✓	✓	



Social Contextual Information

Social Contextual Information

❖ Twitter



Behavioral **Mechanism?**



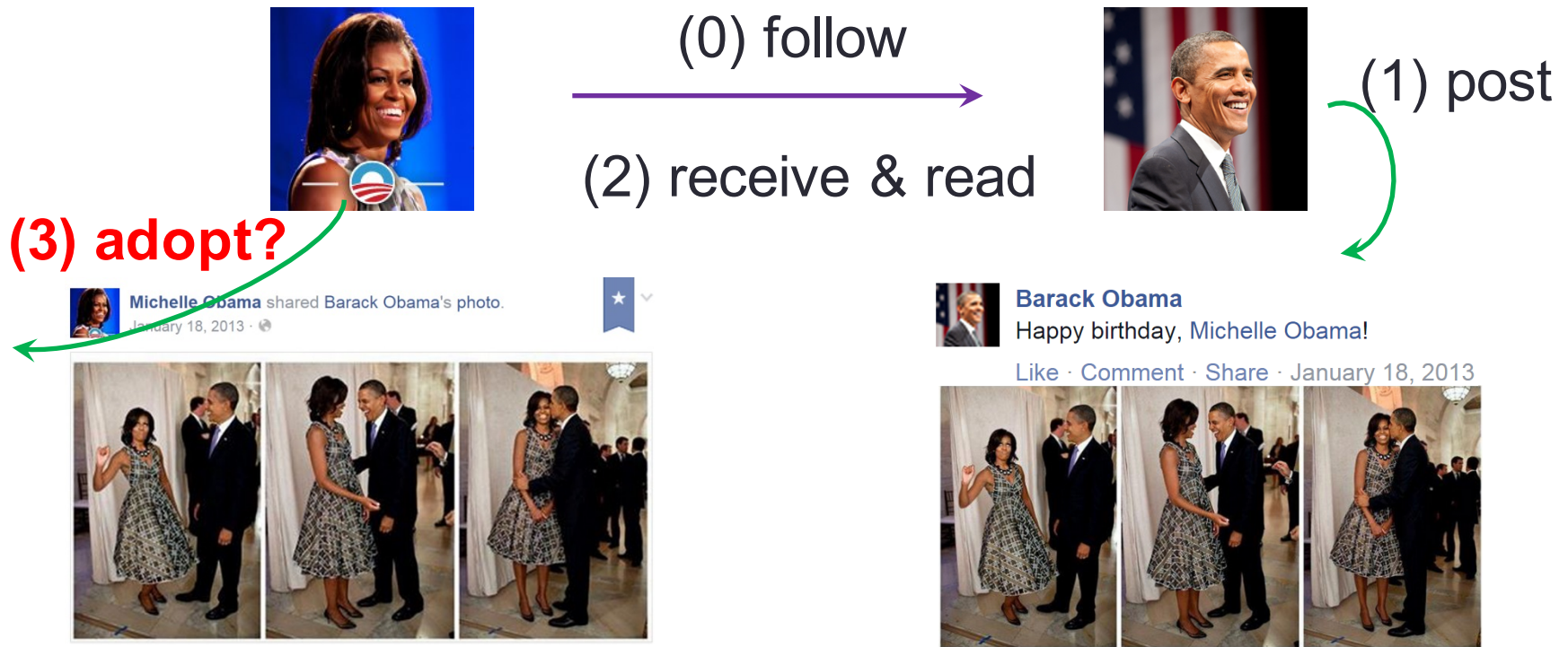
(0) follow



Information Adoption Behavior **Intention**



Information Adoption Behavior **Intention**



Information Adoption Behavior **Intention**

**Birthday –
NOT politic issues!**



(3) adopt?



Michelle Obama shared Barack Obama's photo.
January 18, 2013 · 🌐



(0) follow



(2) receive & read



(1) post



Barack Obama

Happy birthday, Michelle Obama!

Like · Comment · Share · January 18, 2013



Information Adoption Behavior **Intention**

**Birthday –
NOT politic issues!**

**From my husband –
NOT fans on Twitter!**



(0) follow

(2) receive & read



(1) post

(3) adopt?

Michelle Obama shared Barack Obama's photo.
January 18, 2013 · 🌐



Barack Obama

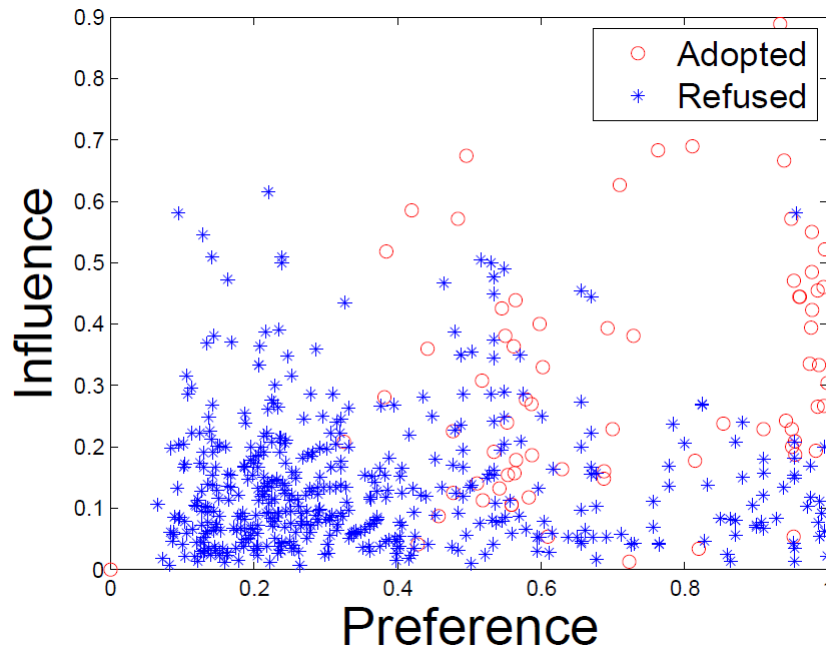
Happy birthday, Michelle Obama!

Like · Comment · Share · January 18, 2013

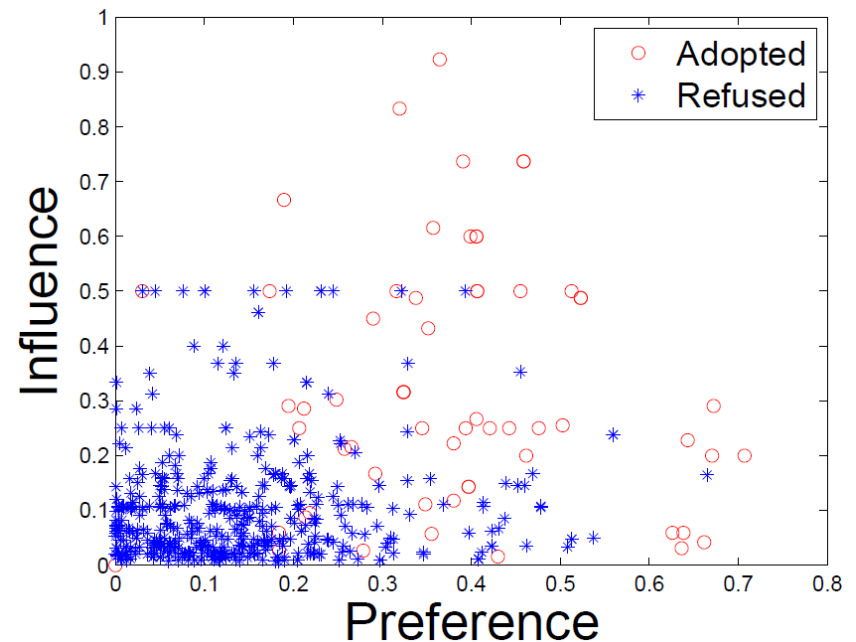


Social Contextual Factors

❖ Individual Preference & Interpersonal Influence



China's Facebook:
Renren



China's Twitter:
Tencent Weibo

From *Information* to *Factors*

Content:

item content

Behavior:

user-item
interaction

Social:

social
relation

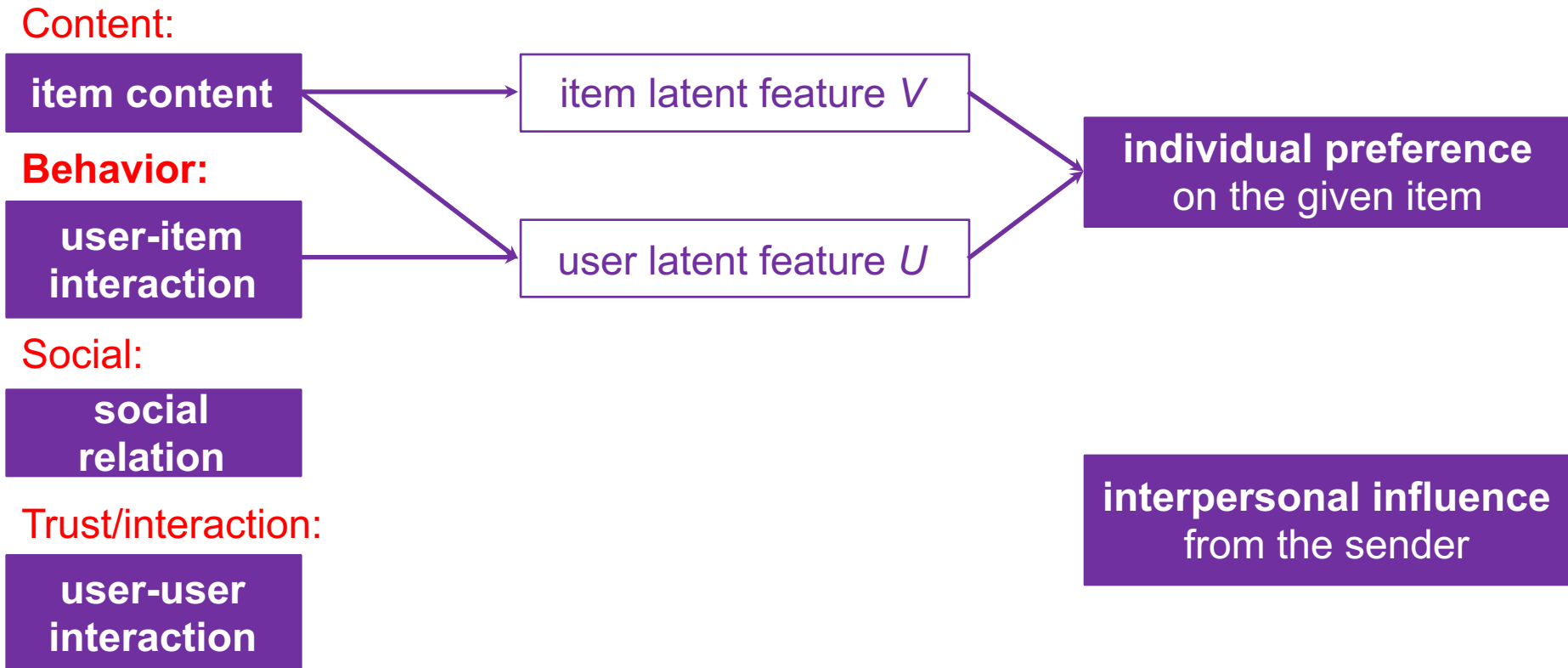
Trust/interaction:

user-user
interaction

individual preference
on the given item

interpersonal influence
from the sender

From *Information* to *Factors*



From *Information* to *Factors*

Content:

item content

item latent feature V

Behavior:

user-item
interaction

user latent feature U

Social:

social
relation

item sender G

Trust/interaction:

user-user
interaction

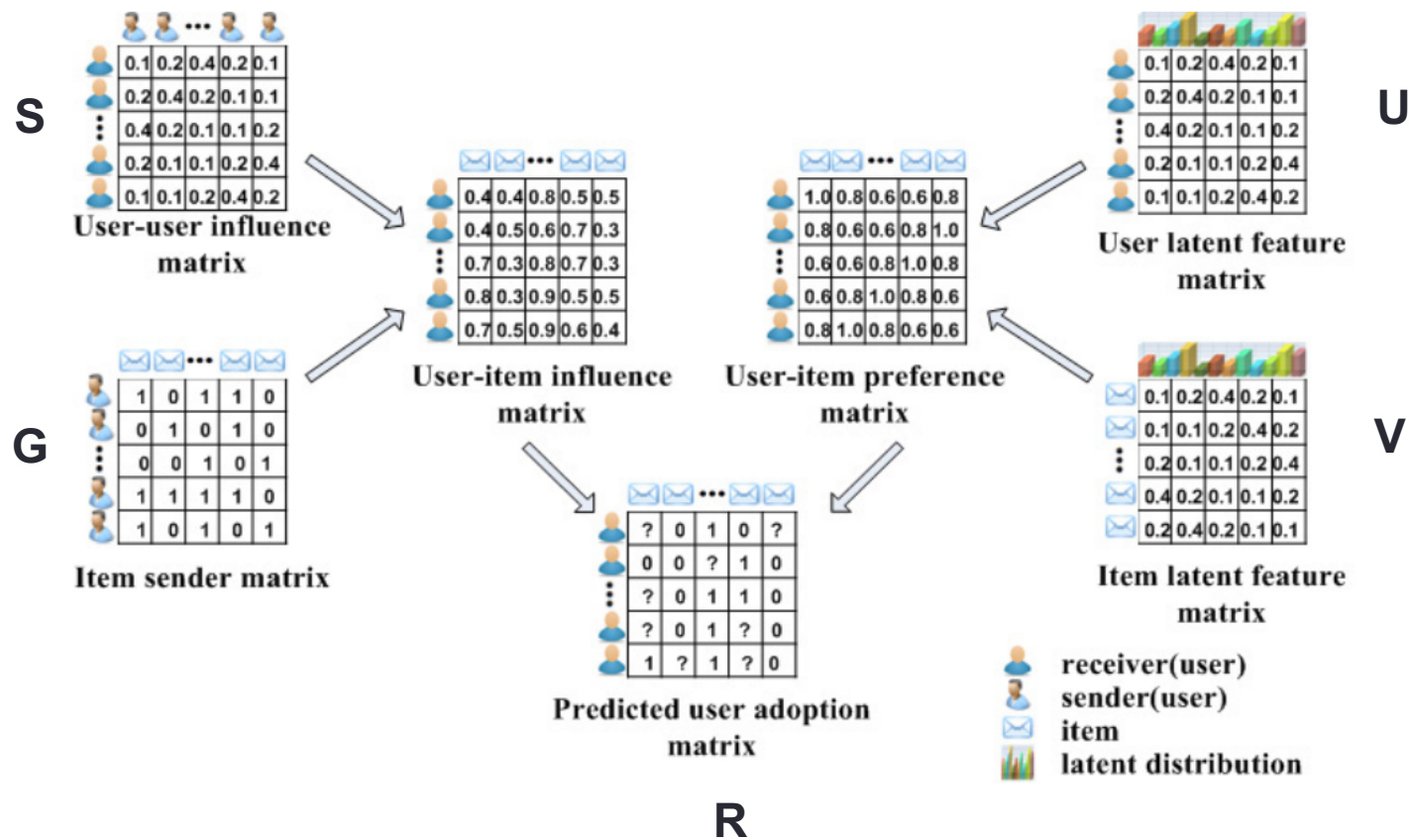
user-user influence S

individual preference
on the given item

interpersonal influence
from the sender

Social Contextual Recommendation

❖ ContextMF



Social Contextual Recommendation

❖ ContextMF behavior influence preference

$$P(\mathbf{R}|\mathbf{S}, \mathbf{U}, \mathbf{V}, \sigma_R^2) = \prod_{i=1}^M \prod_{j=1}^N \mathcal{N}(\underline{\mathbf{R}_{ij}} | \underline{\mathbf{S}_i} \mathbf{G}_j^\top \odot \underline{\mathbf{U}_i^\top} \mathbf{V}_j, \sigma_R^2)$$

behavior

interaction frequency/trust

item content

$$\begin{aligned} \mathcal{J} = & ||\mathbf{R} - \mathbf{S} \mathbf{G}^\top \odot \mathbf{U}^\top \mathbf{V}||_F^2 + \alpha ||\mathbf{W} - \mathbf{U}^\top \mathbf{U}||_F^2 \\ & + \beta ||\mathbf{C} - \mathbf{V}^\top \mathbf{V}||_F^2 + \gamma ||\mathbf{S} - \mathbf{F}||_F^2 \\ & + \delta ||\mathbf{S}||_F^2 + \eta ||\mathbf{U}||_F^2 + \lambda ||\mathbf{V}||_F^2 \end{aligned}$$

social relation

Social Contextual Recommendation

❖ ContextMF

$$\frac{\partial \mathcal{J}}{\partial \mathbf{S}} = 2 \left(-\mathbf{R}(\mathbf{G} \odot \mathbf{V}^\top \mathbf{U}) + (\mathbf{S}\mathbf{G}^\top \odot \mathbf{U}^\top \mathbf{V})\mathbf{G} + \gamma(\mathbf{S} - \mathbf{F}) + \delta\mathbf{S} \right)$$

Gradient Descent Methods

$$\frac{\partial \mathcal{J}}{\partial \mathbf{U}} = 2 \left(-\mathbf{V}\mathbf{R}^\top + \mathbf{V}(\mathbf{G}\mathbf{S}^\top \odot \mathbf{V}^\top \mathbf{U}) - 2\alpha\mathbf{U}\mathbf{W} + 2\alpha\mathbf{U}\mathbf{U}^\top \mathbf{U} + \eta\mathbf{U} \right)$$

$$\frac{\partial \mathcal{J}}{\partial \mathbf{V}} = 2 \left(-\mathbf{U}\mathbf{R} + \mathbf{U}(\mathbf{S}\mathbf{G}^\top \odot \mathbf{U}^\top \mathbf{V}) - 2\beta\mathbf{V}\mathbf{C} + 2\beta\mathbf{V}\mathbf{V}^\top \mathbf{V} + \lambda\mathbf{V} \right)$$

Social Contextual Recommendation

❖ ContextMF

	Renren	Tencent Weibo
MAE	-19.1%	-24.2%
RMSE	-12.8%	-20.7%
Kendall's	+9.82%	+2.1%
Spearman's	+10.6%	+3.1%

Method	MAE	RMSE	$\hat{\tau}$	$\hat{\rho}$
Renren Dataset				
Content-based [1]	0.3842	0.4769	0.5409	0.5404
Item CF [25]	0.3601	0.4513	0.5896	0.5988
FeedbackTrust [22]	0.3764	0.4684	0.5433	0.5469
Influence-based [9]	0.3859	0.4686	0.5394	0.5446
SoRec [19]	0.3276	0.4127	0.6168	0.6204
SoRec [20]	0.2985	0.3537	0.7086	0.7140
Influence MF	0.3102	0.3771	0.6861	0.7006
Preference MF	0.3032	0.3762	0.6937	0.7036
Context MF	0.2416	0.3086	0.7782	0.7896
Tencent Weibo Dataset				
Content-based [1]	0.2576	0.3643	0.7728	0.7777
Item CF [25]	0.2375	0.3372	0.7867	0.8049
FeedbackTrust [22]	0.2830	0.3887	0.7094	0.7115
Influence-based [9]	0.2651	0.3813	0.7163	0.7275
SoRec [19]	0.2256	0.3325	0.7973	0.8064
SoRec [20]	0.1997	0.2962	0.8300	0.8423
Influence MF	0.2183	0.3206	0.8179	0.8258
Preference MF	0.2111	0.3088	0.8384	0.8453
Context MF	0.1514	0.2348	0.8570	0.8685

Co-Predicting Behavior and Social Relations

❖ LOCABAL

$$\begin{aligned}
 \mathcal{J} = & \underbrace{\|\mathbf{W} \odot (\mathbf{R} - \mathbf{U}^\top \mathbf{V})\|_F^2}_{\text{behavior}} + \alpha \underbrace{\|\mathbf{T} \odot (\mathbf{S} - \mathbf{U}^\top \mathbf{H} \mathbf{U})\|_F^2}_{\text{social relation}} \\
 & + \lambda (\|\mathbf{U}\|_F^2 + \|\mathbf{V}\|_F^2 + \|\mathbf{H}\|_F^2) \quad (10)
 \end{aligned}$$

Observed behavioral data

Observed social relation data

Co-Predicting Behavior and Social Relations

❖ LOCABAL

*Gradient
Descent
Methods*

$$\begin{aligned}
 \frac{\partial \mathcal{J}}{\partial \mathbf{U}} &= 2 \left(-\mathbf{V}(\mathbf{W} \odot \mathbf{W} \odot \mathbf{R})^\top + \mathbf{V}(\mathbf{W} \odot \mathbf{W} \odot (\mathbf{U}^\top \mathbf{V}))^\top \right. \\
 &\quad \left. - \alpha \mathbf{H}^\top \mathbf{U}(\mathbf{T} \odot \mathbf{S}) - \alpha \mathbf{H} \mathbf{U}(\mathbf{T} \odot \mathbf{S})^\top + \lambda \mathbf{U} \right. \\
 &\quad \left. + \alpha \mathbf{H}^\top \mathbf{U}(\mathbf{T} \odot (\mathbf{U}^\top \mathbf{H} \mathbf{U})) + \alpha \mathbf{H} \mathbf{U}(\mathbf{T} \odot (\mathbf{U}^\top \mathbf{H} \mathbf{U}))^\top \right), \\
 \frac{\partial \mathcal{J}}{\partial \mathbf{V}} &= 2 \left(-\mathbf{U}(\mathbf{W} \odot \mathbf{W} \odot \mathbf{R}) \right. \\
 &\quad \left. + \mathbf{U}(\mathbf{W} \odot \mathbf{W} \odot (\mathbf{U}^\top \mathbf{V})) + \lambda \mathbf{V} \right), \\
 \frac{\partial \mathcal{J}}{\partial \mathbf{H}} &= 2 \left(-\lambda \mathbf{U}(\mathbf{T} \odot \mathbf{S}) \mathbf{U}^\top \right. \\
 &\quad \left. + \alpha \mathbf{U}(\mathbf{T} \odot (\mathbf{U}^\top \mathbf{H} \mathbf{U})) \mathbf{U}^\top + \lambda \mathbf{H} \right)
 \end{aligned} \tag{11}$$

Co-Predicting Behavior and Social Relations

❖ LOCABAL

Datasets	Training Set	Metrics	Algorithms			
			MF	SoRec	SoReg	LOCABAL
Ciao	50%	MAE	0.9927	0.9619	0.9552	0.9356
		RMSE	1.1742	1.1375	1.1291	1.1088
	70%	MAE	0.9715	0.9446	0.9328	0.9234
		RMSE	1.1478	1.1140	1.1097	1.0861
	90%	MAE	0.9614	0.9433	0.9232	0.9076
		RMSE	1.1384	1.1028	1.0999	1.0758
Epinions	50%	MAE	0.9935	0.9574	0.9383	0.9237
		RMSE	1.1922	1.1581	1.1479	1.1276
	70%	MAE	0.9701	0.9480	0.9296	0.9088
		RMSE	1.1833	1.1482	1.1277	1.1079
	90%	MAE	0.9687	0.9397	0.9188	0.8981
		RMSE	1.1791	1.1387	1.1170	1.1000

Negative Experiences in Social Recommender

- ❖ **Data sparsity** problem: sparse matrix.
- ❖ Social relation are **too noisy** and **may have a negative impact** on recommender systems.
- ❖ It is difficult for social recommenders to improve recommendation performance for **cold-start users**.
- ❖ **Different types of social relations** have **different effects** on social recommender systems.

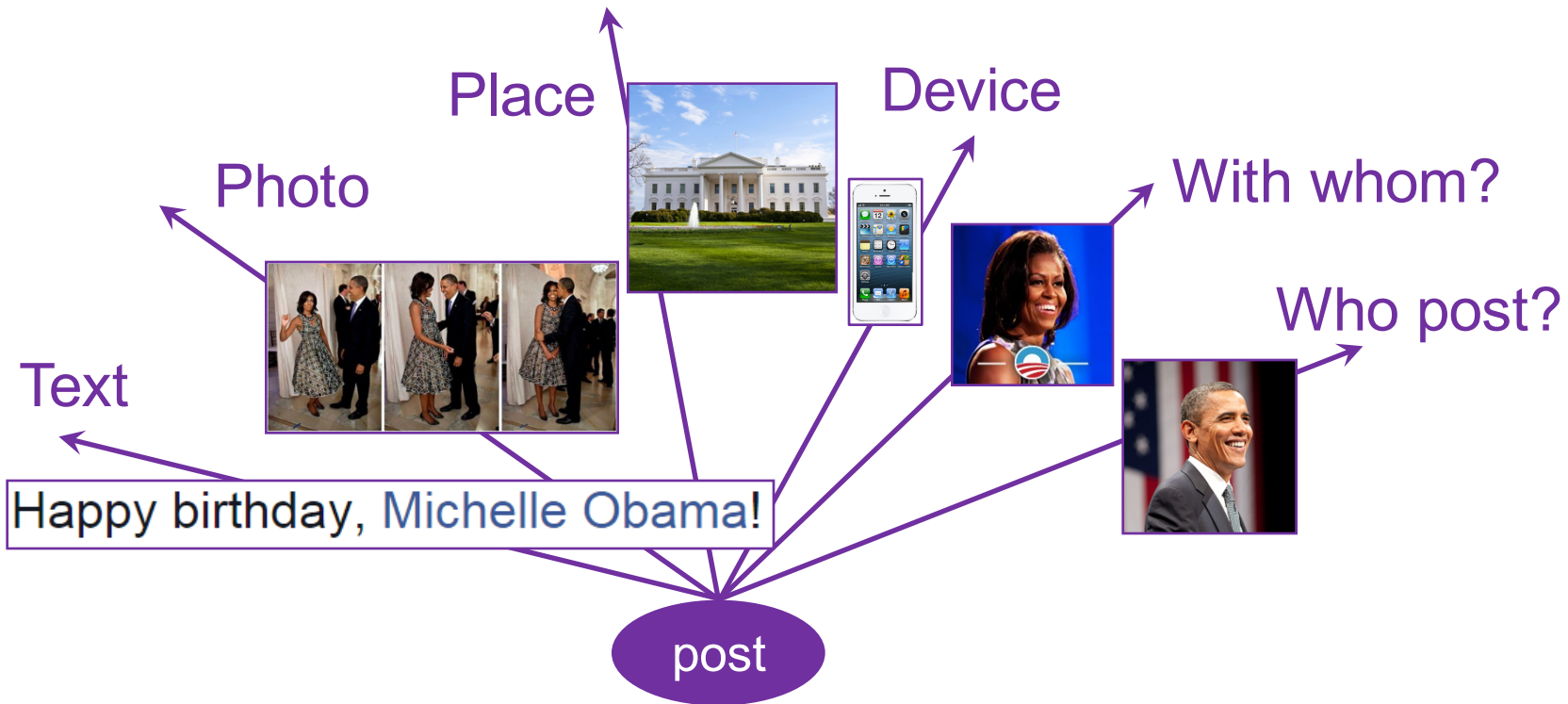
Negative Experiences in Social Recommender

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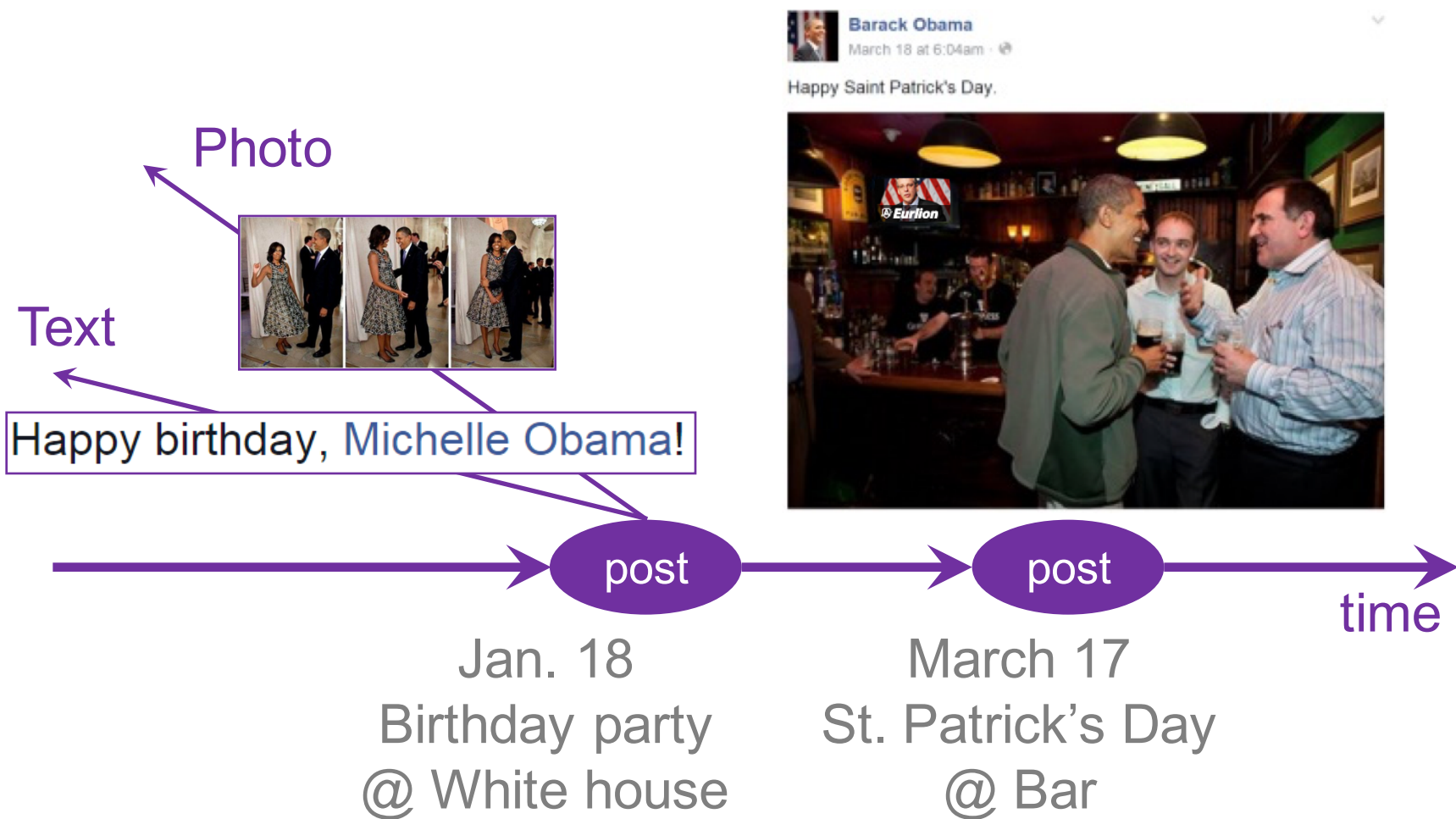
Future work?

Data integration and causal analysis

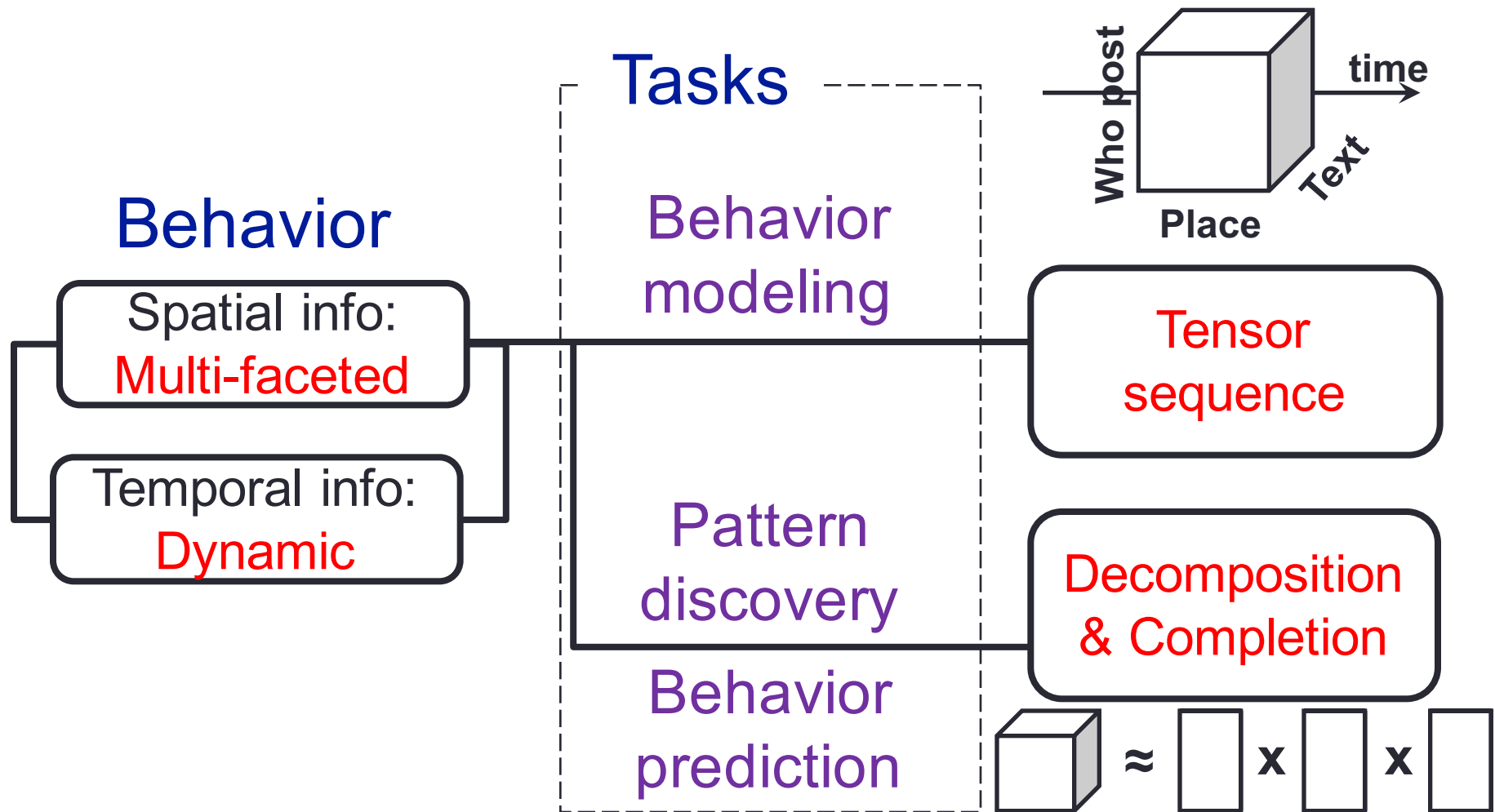
Besides Social Context: Spatial Context



Besides Social Context: Temporal Context

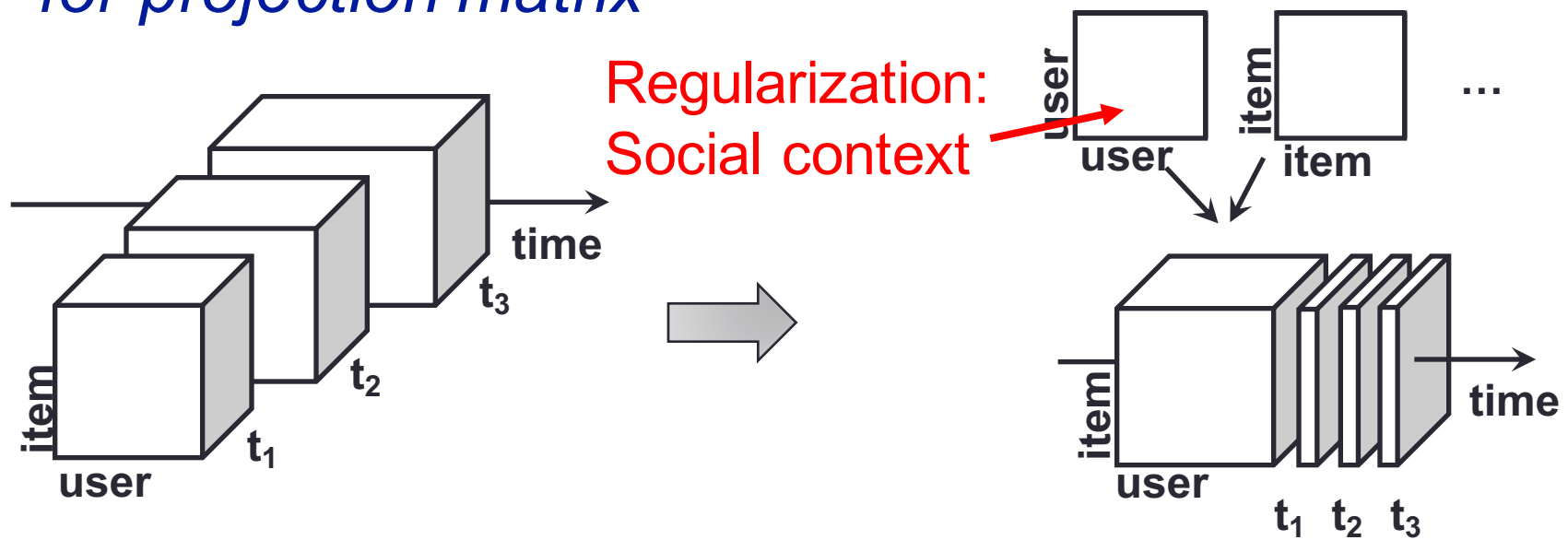


Modeling Spatiotemporal Contexts

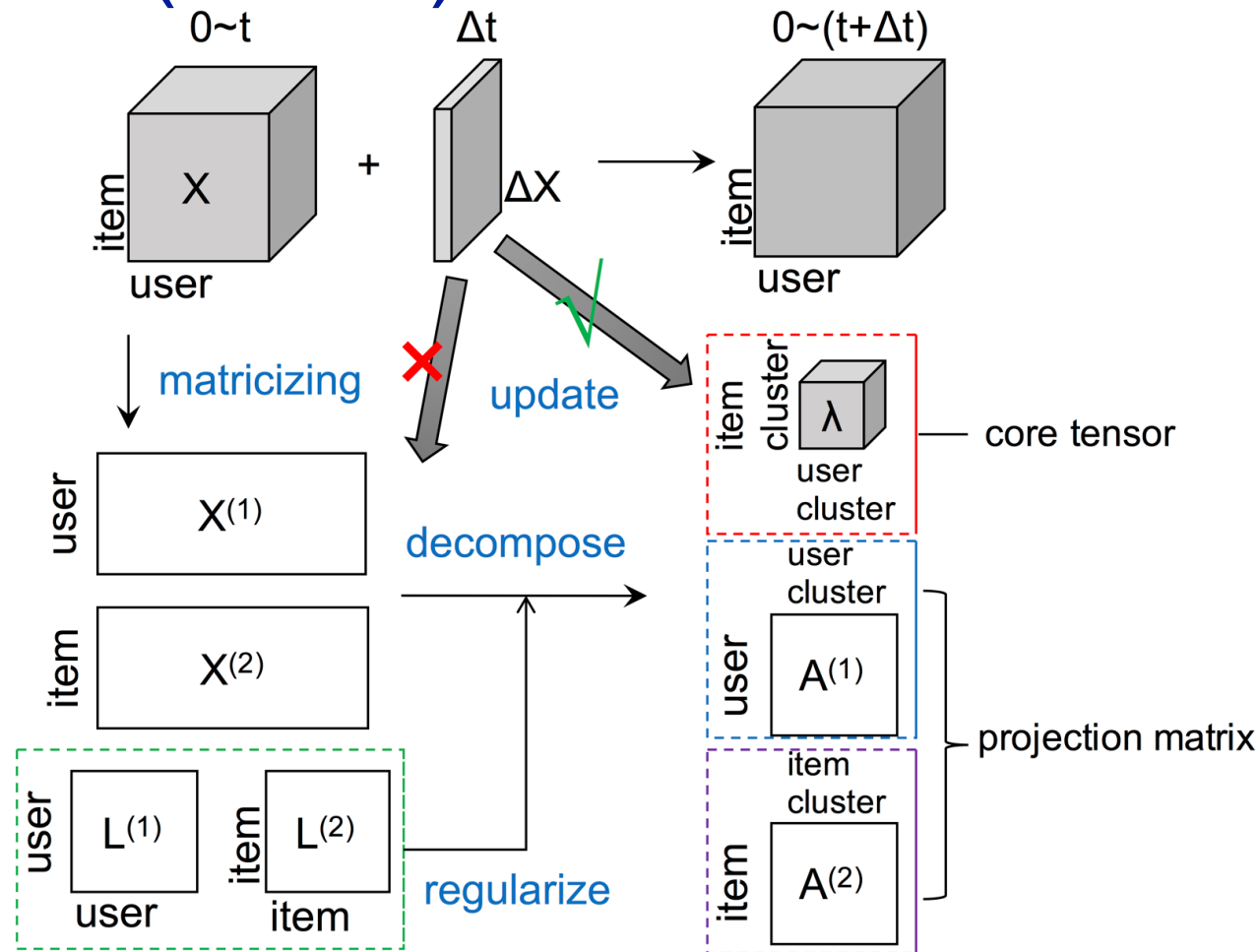


Challenges: Sparsity and Complexity

- ❖ Addressing **sparsity**: *Flexible regularization with auxiliary data*
- ❖ Addressing **high complexity**: *Incremental updates for projection matrix*

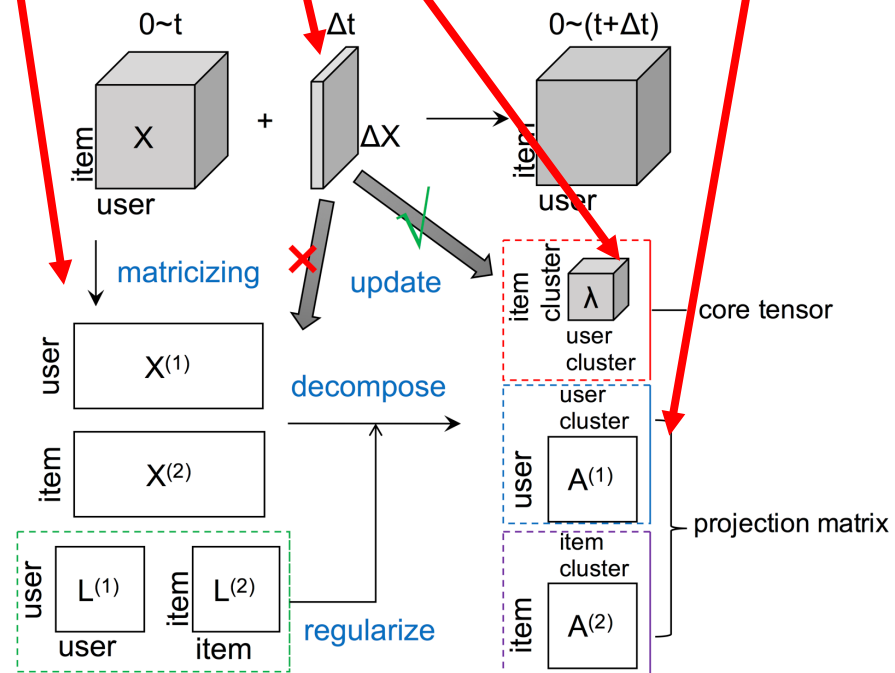


Flexible Evolutionary Multi-faceted Analysis (FEMA)



Tensor Perturbation Theory

$$[(\mathbf{X}^{(m)} + \Delta\mathbf{X}^{(m)})(\mathbf{X}^{(m)} + \Delta\mathbf{X}^{(m)})^\top + \mu^{(m)}\mathbf{L}^{(m)}] \cdot (\mathbf{a}_i^{(m)} + \Delta\mathbf{a}_i^{(m)}) = (\lambda_i^{(m)} + \Delta\lambda_i^{(m)})(\mathbf{a}_i^{(m)} + \Delta\mathbf{a}_i^{(m)})$$



FEMA Algorithm

Approximation

Require: $\mathcal{X}_t, \Delta\mathcal{X}_t, \mathbf{A}_t^{(m)}|_{m=1}^M, \lambda_t^{(m)}|_{m=1}^M$

for $m = 1, \dots, M$ **do**

for $i = 1, \dots, r^{(m)}$ **do**

Compute $\Delta\lambda_{t,i}^{(m)}$ using

$$\Delta\lambda_i^{(m)} = \mathbf{a}_i^{(m)\top} (\mathbf{X}^{(m)} \Delta\mathbf{X}^{(m)\top} + \Delta\mathbf{X}^{(m)} \mathbf{X}^{(m)\top}) \mathbf{a}_i^{(m)}$$

and compute

$$\lambda_{t+1,i}^{(m)} = \lambda_{t,i}^{(m)} + \Delta\lambda_{t,i}^{(m)};$$

Compute $\Delta\mathbf{a}_{t,i}^{(m)}$ using

$$\Delta\mathbf{a}_i^{(m)} = \sum_{j \neq i} \frac{\mathbf{a}_j^{(m)\top} (\mathbf{X}^{(m)} \Delta\mathbf{X}^{(m)\top} + \Delta\mathbf{X}^{(m)} \mathbf{X}^{(m)\top}) \mathbf{a}_i^{(m)}}{\lambda_i^{(m)} - \lambda_j^{(m)}} \mathbf{a}_j^{(m)}$$

and compute

$$\mathbf{a}_{t+1,i}^{(m)} = \mathbf{a}_{t,i}^{(m)} + \Delta\mathbf{a}_{t,i}^{(m)} \text{ and } \mathbf{A}_{t+1}^{(m)} = \{\mathbf{a}_{t+1,i}^{(m)}\};$$

end for

end for

$$\mathcal{Y}_{t+1} = (\mathcal{X}_t + \Delta\mathcal{X}_t) \prod_{m=1}^M \times_{(m)} \mathbf{A}_{t+1}^{(m)\top};$$

return $\mathbf{A}_{t+1}^{(m)}|_{m=1}^M, \lambda_{t+1}^{(m)}|_{m=1}^M, \mathcal{Y}_{t+1}$

Bound Guarantee

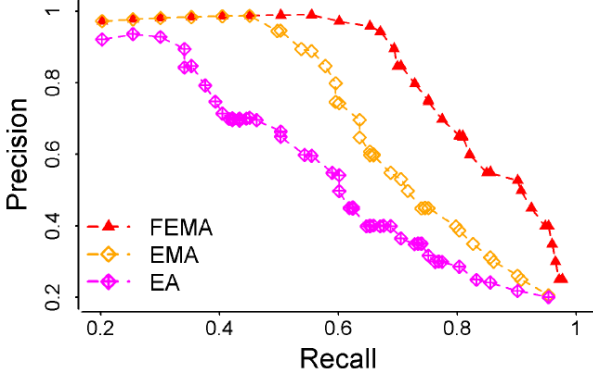
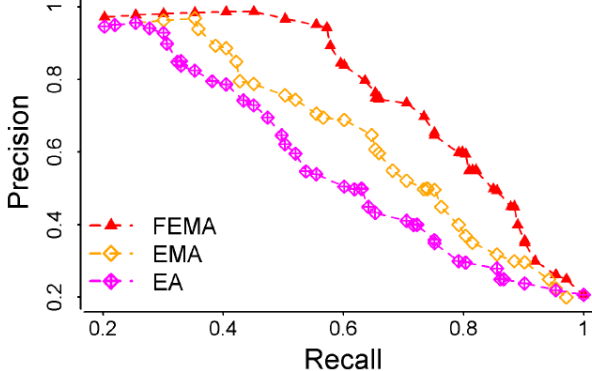
core tensor

$$|\Delta\lambda_i^{(m)}| \leq 2(\lambda_{\mathbf{X}^{(m)} \top \mathbf{X}^{(m)}}^{\max})^{\frac{1}{2}} \|\Delta\mathbf{X}^{(m)}\|_2$$

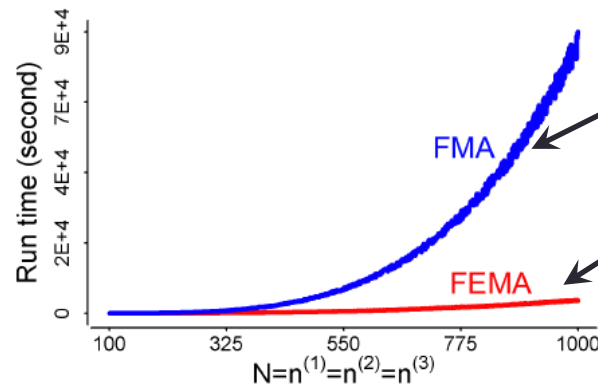
$$|\Delta\mathbf{a}_i^{(m)}| \leq 2\|\Delta\mathbf{X}^{(m)}\|_2 \sum_{j \neq i} \frac{(\lambda_{\mathbf{X}^{(m)} \top \mathbf{X}^{(m)}}^{\max})^{\frac{1}{2}}}{|\lambda_i^{(m)} - \lambda_j^{(m)}|}$$

projection matrix

Individual Behavior Prediction with FEMA

	Microsoft Academic Search		Tencent Weibo mentions “@”	
	MAE	RMSE	MAE	RMSE
FEMA 	0.735	0.944	0.894	1.312
EMA 	0.794	1.130	0.932	1.556
EA 	0.979	1.364	1.120	1.873
Precision vs Recall				

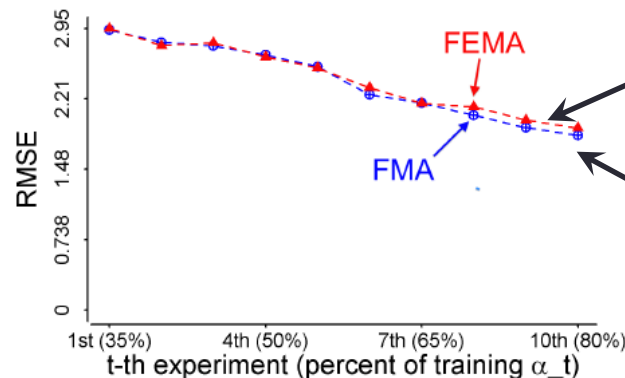
Individual Behavior Prediction with FEMA



Re-decomposition:
Re-compute projection matrices

Evolutionary analysis:
Use ΔX to update λ and a

Time vs Num. objects N

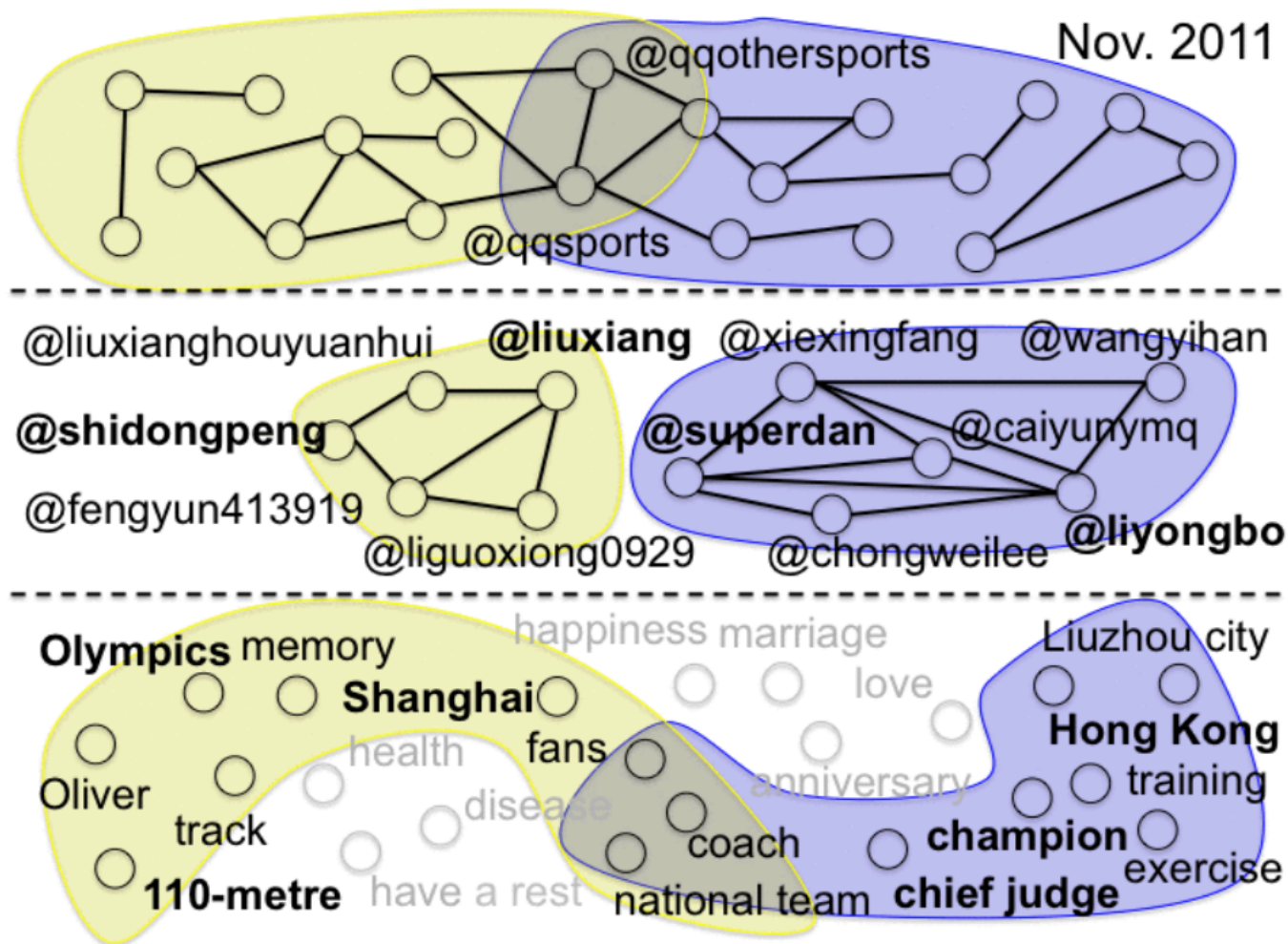


Evolutionary analysis:
Use ΔX to update λ and a

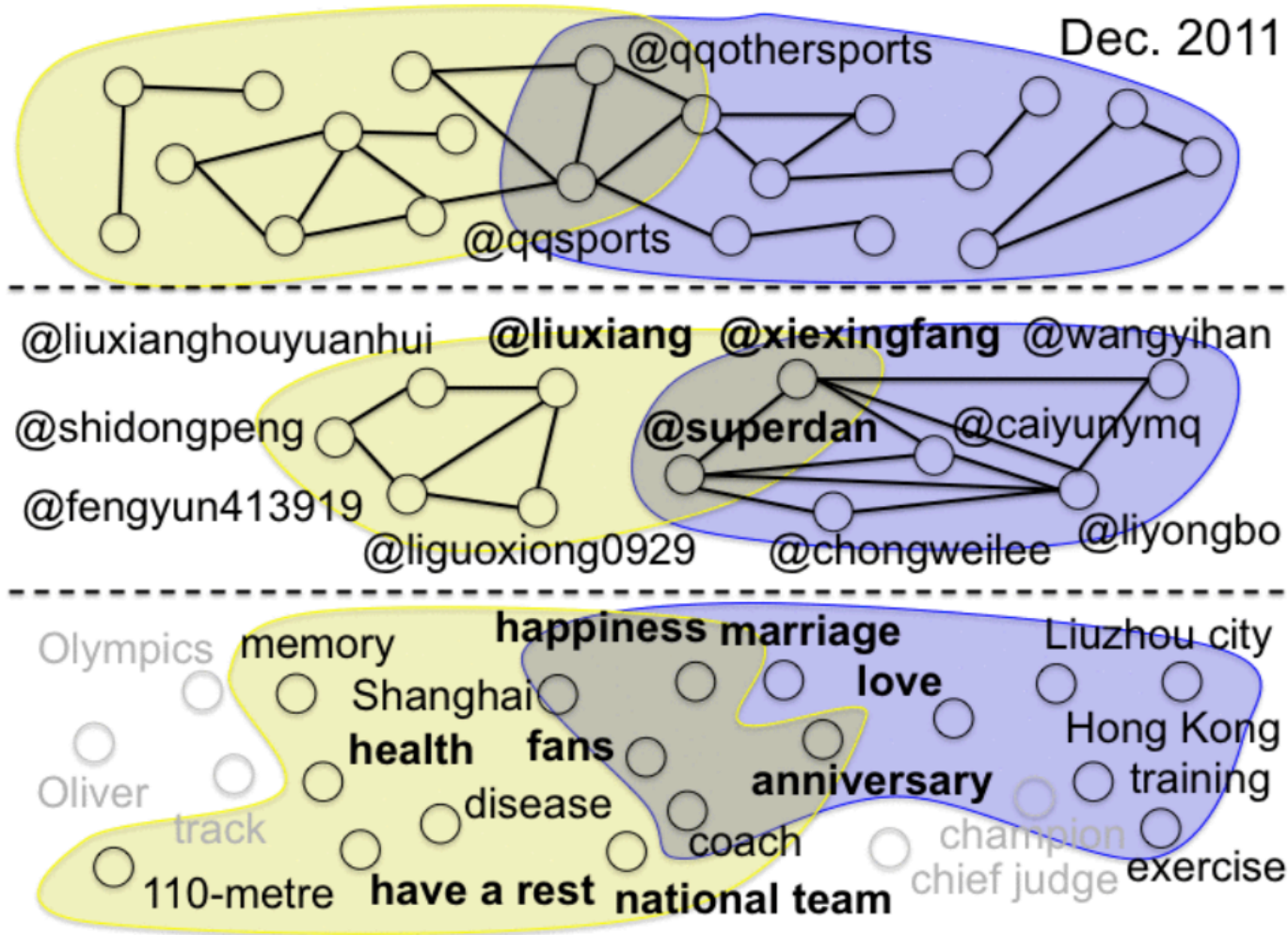
Re-decomposition:
Re-compute projection matrices

The loss is small.

Behavioral Pattern: Fan@Idol#Word

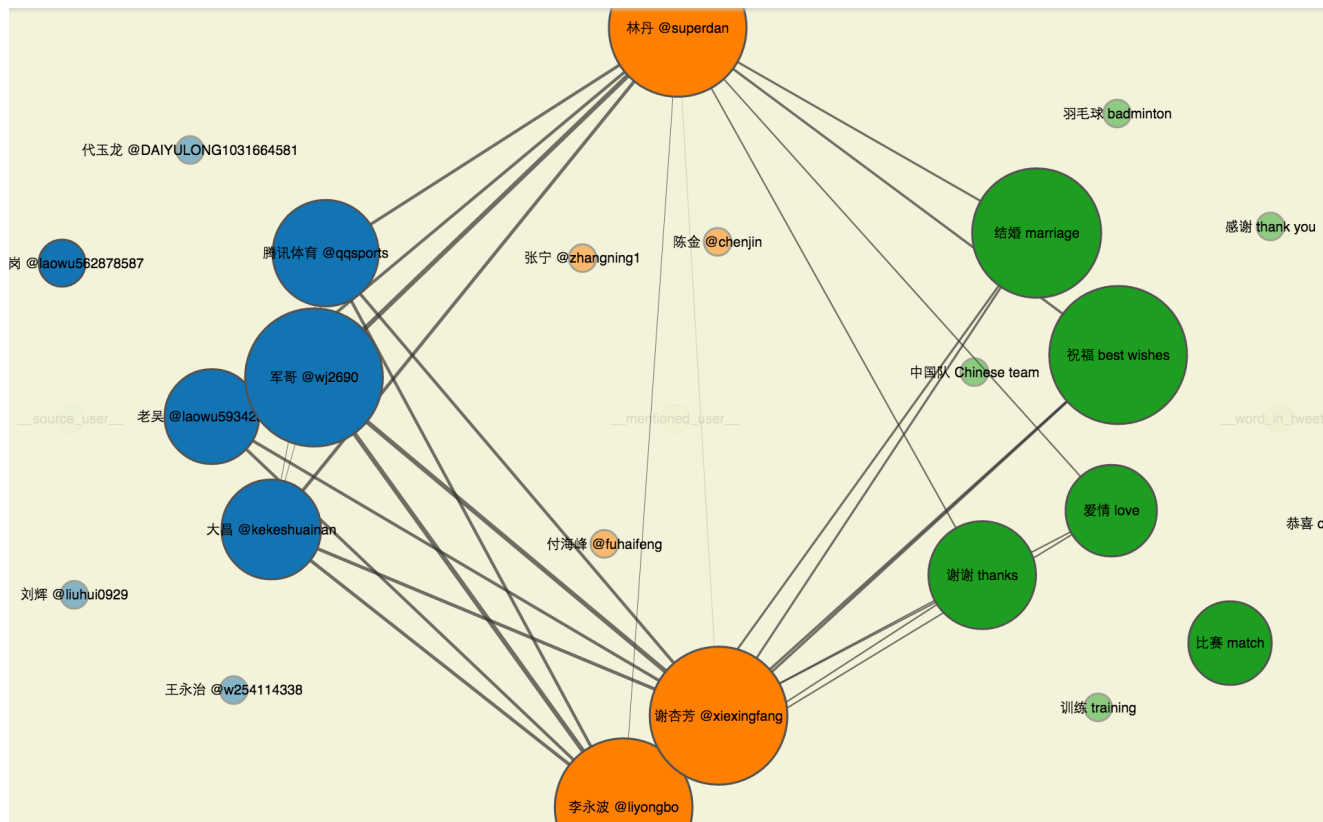


Behavioral Pattern: Fan@Idol#Word



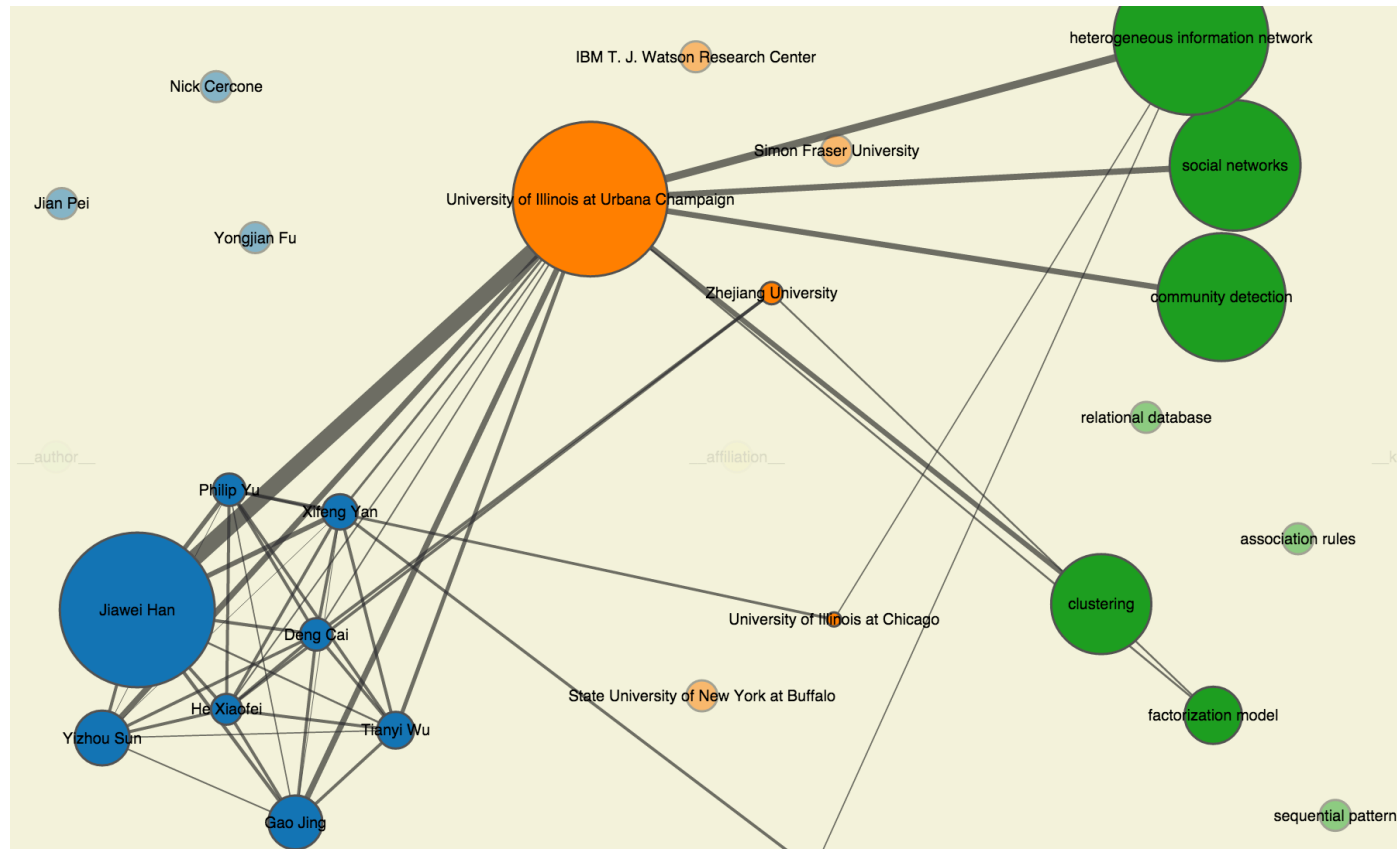
Demo 1: Fan@Idol#Word

❖ <http://www.meng-jiang.com/demos/fema/weibo/>



Demo 2: Author@Affiliation#Keyword

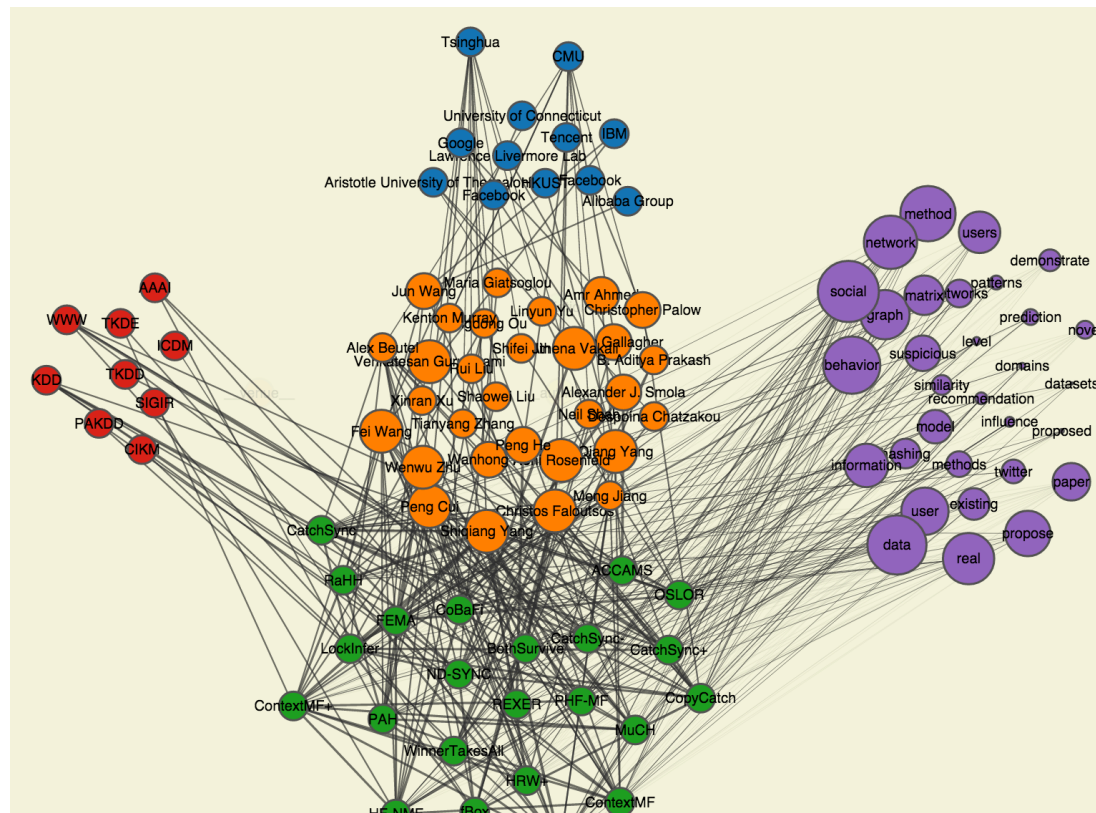
❖ <http://www.meng-jiang.com/demos/fema/mas/>



Jiang et al. **Flexible Evolutionary Multi-faceted Analysis for Dynamic Behavioral Pattern Discovery**. *KDD*, 2014.

Demo 3: Author@Affiliation\$Paper&Venue#Keyword

❖ <http://www.meng-jiang.com/demos/hindblp/>



Modeling social contexts,
spatio-temporal contexts: Amazing!
...however...

Modeling social contexts,
spatio-temporal contexts: Amazing!
...however...



in one domain...

Besides Contexts: Multiple Domains

❖ Post



Osmar Zaiane

20 hrs · Twitter · 



#DataScientists need ability to tell the story about #data and convey #business value <https://t.co/VNN2rXaLuV> #BigData #datascience #dataviz



Besides Contexts: Multiple Domains

❖Image



Philip Bohannon shared a link.

5 hrs · 🌐



British Library offers over 1 million free vintage images for download

Besides Contexts: Multiple Domains

❖ Video



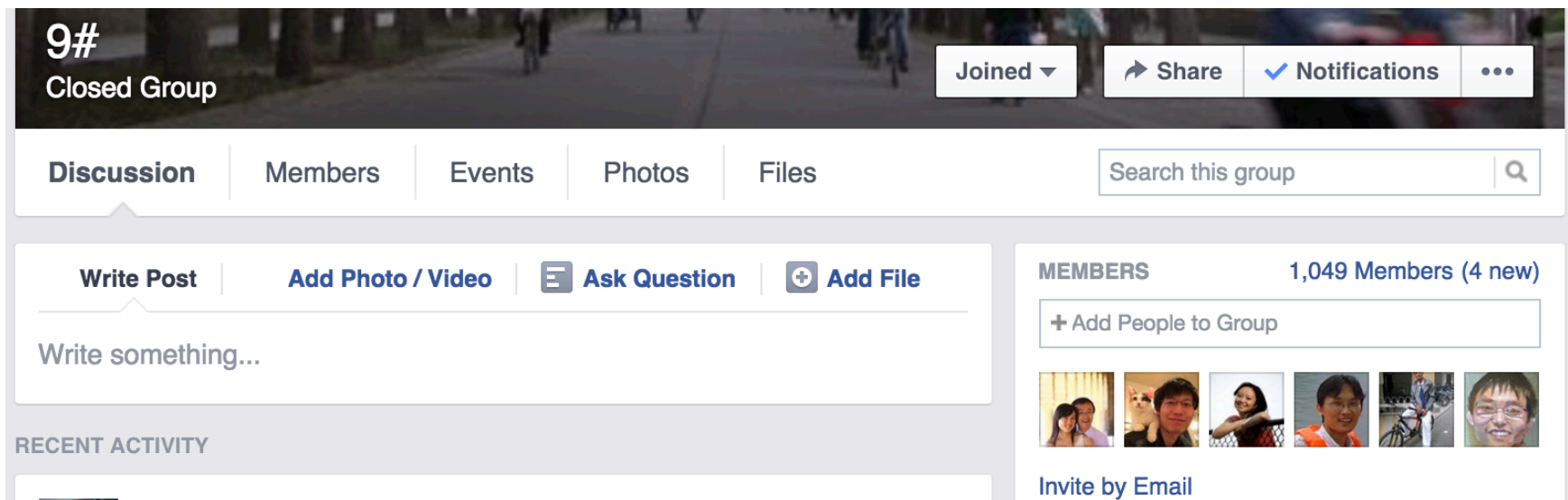
Besides Contexts: Multiple Domains

❖ Social label

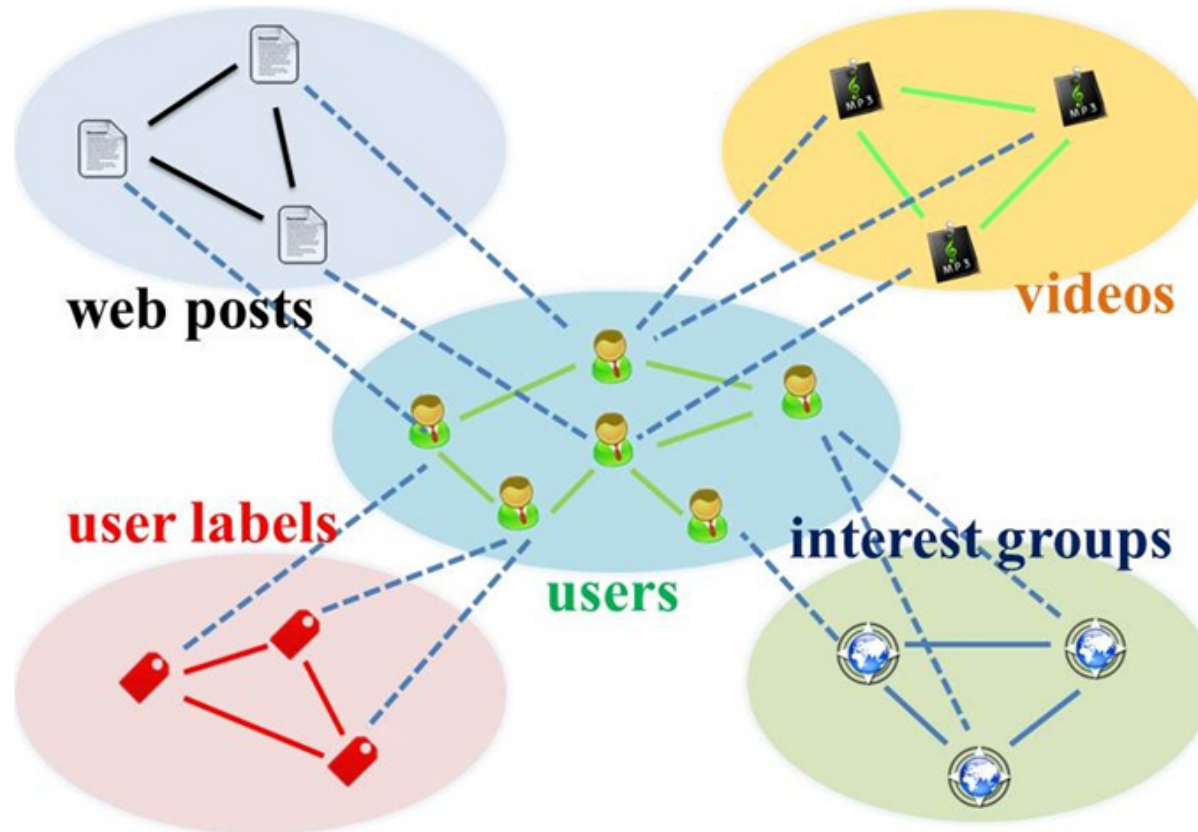
Religious Views	Christian
Interests	Basketball, writing, spending time w/ kids
Favorite Music	Miles Davis, John Coltrane, Bob Dylan, Stevie Wonder, Johann Sebastian Bach (cello suites), and The Fugees
Favorite Movies	Casablanca, Godfather I & II, Lawrence of Arabia and One Flew Over the Cuckoo's Nest
Favorite TV Shows	Sportscenter
Favorite Quotations	"The Arc of the moral universe is long, but it bends towards justice." (MLK)

Besides Contexts: Multiple Domains

❖ Group

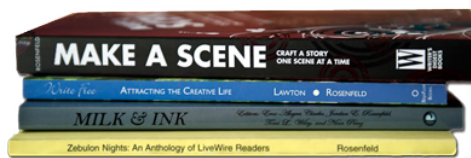


Besides Contexts: Multiple Domains



Traditional Cross-Domain CF

❖ Codebook Transfer (CBT)



m books

n users

$\mathbf{X}_{aux}$



q movies

p users

$\mathbf{X}_{tgt}$

Traditional Cross-Domain CF

❖ Codebook Transfer (CBT) $n \times k \quad m \times l$

m books
 n users

$\mathbf{X}_{aux}$

$$\min_{\mathbf{U} \geq 0, \mathbf{V} \geq 0, \mathbf{S} \geq 0} \|\mathbf{X}_{aux} - \mathbf{U}\mathbf{S}\mathbf{V}^\top\|_F^2$$

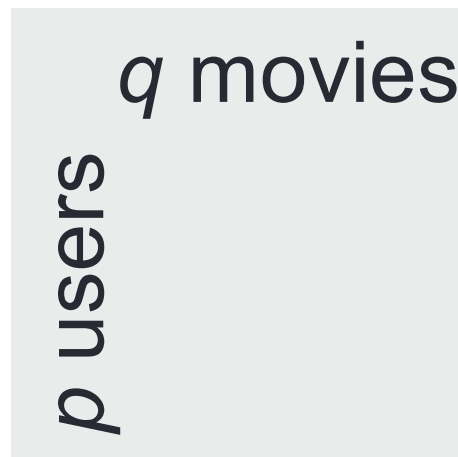
s.t. $\mathbf{U}^\top \mathbf{U} = \mathbf{I}, \mathbf{V}^\top \mathbf{V} = \mathbf{I},$

Codebook = User Group $\times$ Item Group

$$\mathbf{B} = [\mathbf{U}_{aux}^\top \mathbf{X}_{aux} \mathbf{V}_{aux}] \oslash [\mathbf{U}_{aux}^\top \mathbf{1} \mathbf{1}^\top \mathbf{V}_{aux}]$$

Traditional Cross-Domain CF

❖ Codebook Transfer (CBT)



$\mathbf{X}_{tgt}$

Codebook: $k \times l$

$p \times k$

$q \times l$

$$\min_{\substack{\mathbf{U}_{tgt} \in \{0,1\}^{p \times k} \\ \mathbf{V}_{tgt} \in \{0,1\}^{q \times l}}} \left\| [\mathbf{X}_{tgt} - \mathbf{U}_{tgt} \mathbf{B} \mathbf{V}_{tgt}^{\top}] \circ \mathbf{W} \right\|_F^2$$

$$\text{s.t. } \mathbf{U}_{tgt} \mathbf{1} = \mathbf{1}, \mathbf{V}_{tgt} \mathbf{1} = \mathbf{1},$$

Traditional Cross-Domain CF

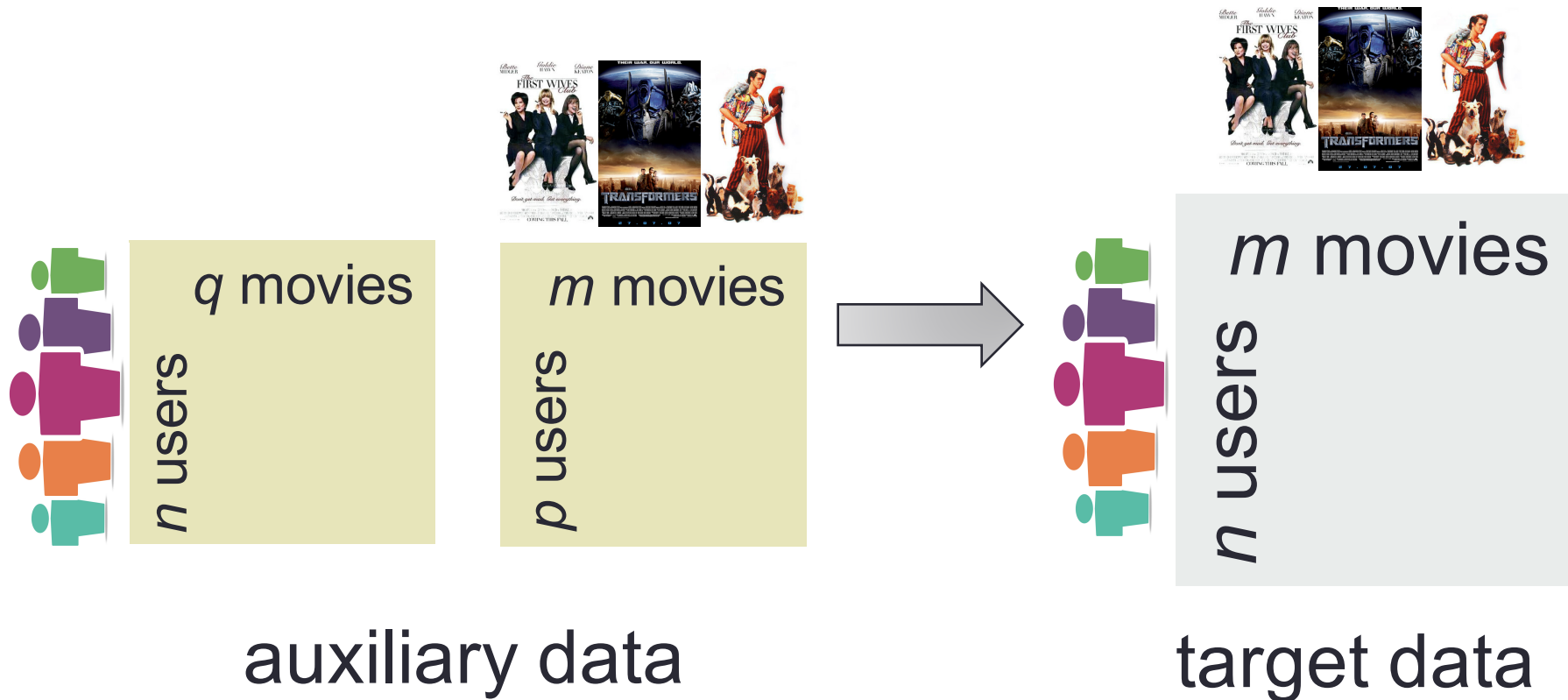
❖ Codebook Transfer (CBT)

Table 1: MAE on MovieLens (average over 10 splits)

Training Set	Method	Given5	Given10	Given15
ML100	PCC	0.930	0.883	0.873
	CBS	0.874	0.845	0.839
	WLR	0.915	0.875	0.890
	CBT	0.840	0.802	0.786
ML200	PCC	0.905	0.878	0.878
	CBS	0.871	0.833	0.828
	WLR	0.941	0.903	0.883
	CBT	0.839	0.800	0.784
ML300	PCC	0.897	0.882	0.885
	CBS	0.870	0.834	0.819
	WLR	1.018	0.962	0.938
	CBT	0.840	0.801	0.785

Traditional Cross-Domain CF

❖ Coordinate System Transfer (CST)



Traditional Cross-Domain CF

❖ Coordinate System Transfer (CST)

Auxiliary data:

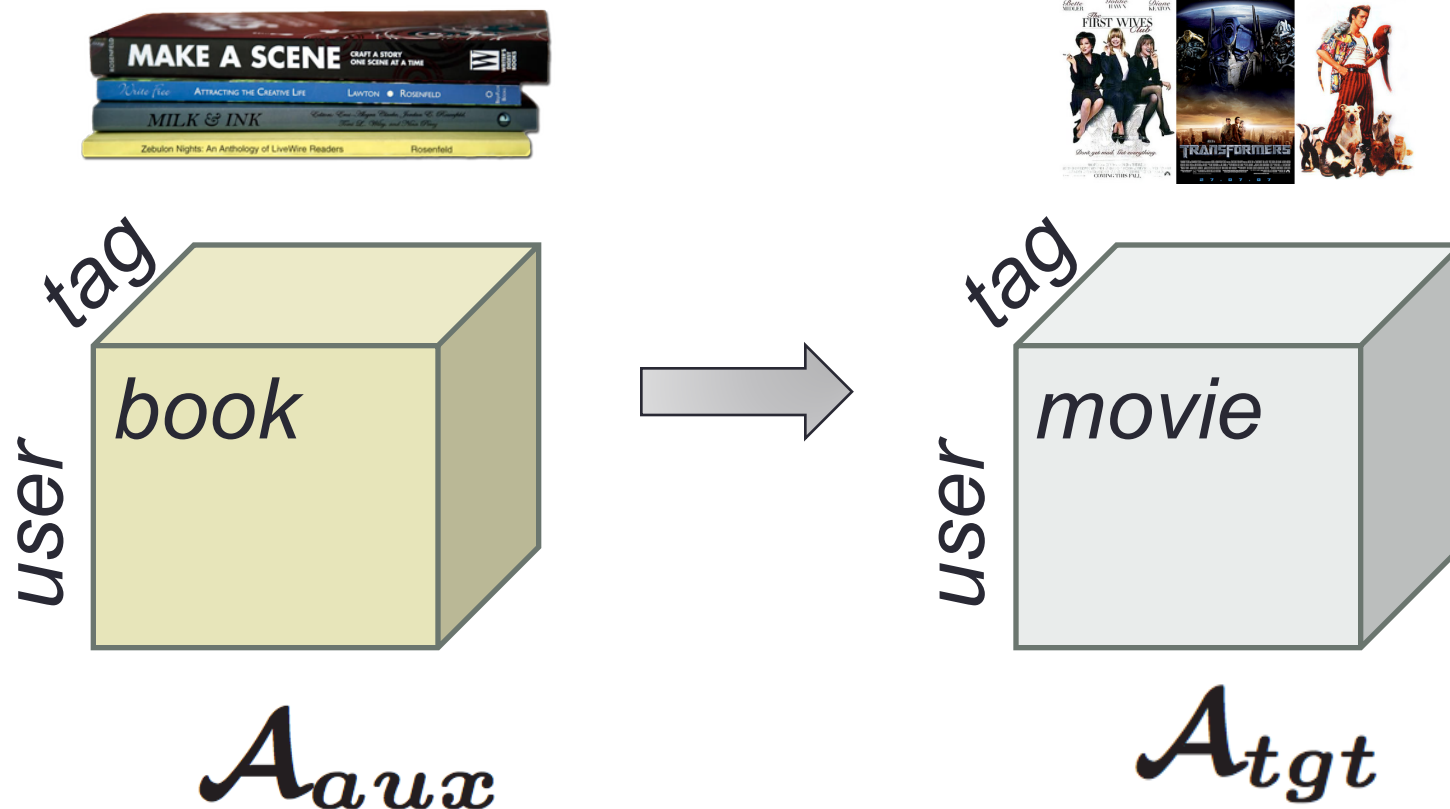
$$\min_{\mathbf{U}^{(i)}, \mathbf{V}^{(i)}, \mathbf{B}^{(i)}} ||\mathbf{Y}^{(i)} \odot (\mathbf{R}^{(i)} - \boxed{\mathbf{U}^{(i)}} \mathbf{B}^{(i)} \boxed{\mathbf{V}^{(i)T}})||_F^2$$

Target data:

$$\begin{aligned} \min_{\mathbf{U}, \mathbf{V}, \mathbf{B}} \quad & ||\mathbf{Y} \odot (\mathbf{R} - \mathbf{UBV}^T)|| \\ & + \boxed{\frac{\rho_u}{2} ||\mathbf{U} - \mathbf{U}_0||_F^2} + \boxed{\frac{\rho_v}{2} ||\mathbf{V} - \mathbf{V}_0||_F^2} \\ \text{s.t.} \quad & \mathbf{U}^T \mathbf{U} = \mathbf{I}, \mathbf{V}^T \mathbf{V} = \mathbf{I} \end{aligned}$$

Traditional Cross-Domain CF

❖ FUSE



Traditional Cross-Domain CF

❖ FUSE

$$\mathcal{A}_{tgt}^* = \mathcal{A}_{aux}^{cluster} \times_1 \hat{U}_{tgt}^{(1)} \times_2 \hat{U}_{tgt}^{(2)} \times_3 \hat{U}_{tgt}^{(3)}$$


$$f = \min_{\hat{U}_{tgt}^{(1)} \dots \hat{U}_{tgt}^{(3)}} \boxed{\|\mathcal{A} - \mathcal{A}_{tgt}^*\|_F^2}$$

$$+ \lambda \cdot \sum_{r=1}^R \text{tr}([\hat{U}_{tgt}^{(1)}]^T (\mathbf{D}^{(r)} - \mathbf{F}^{(r)}) \hat{U}_{tgt}^{(1)})$$

Traditional Cross-Domain CF

❖ FUSE

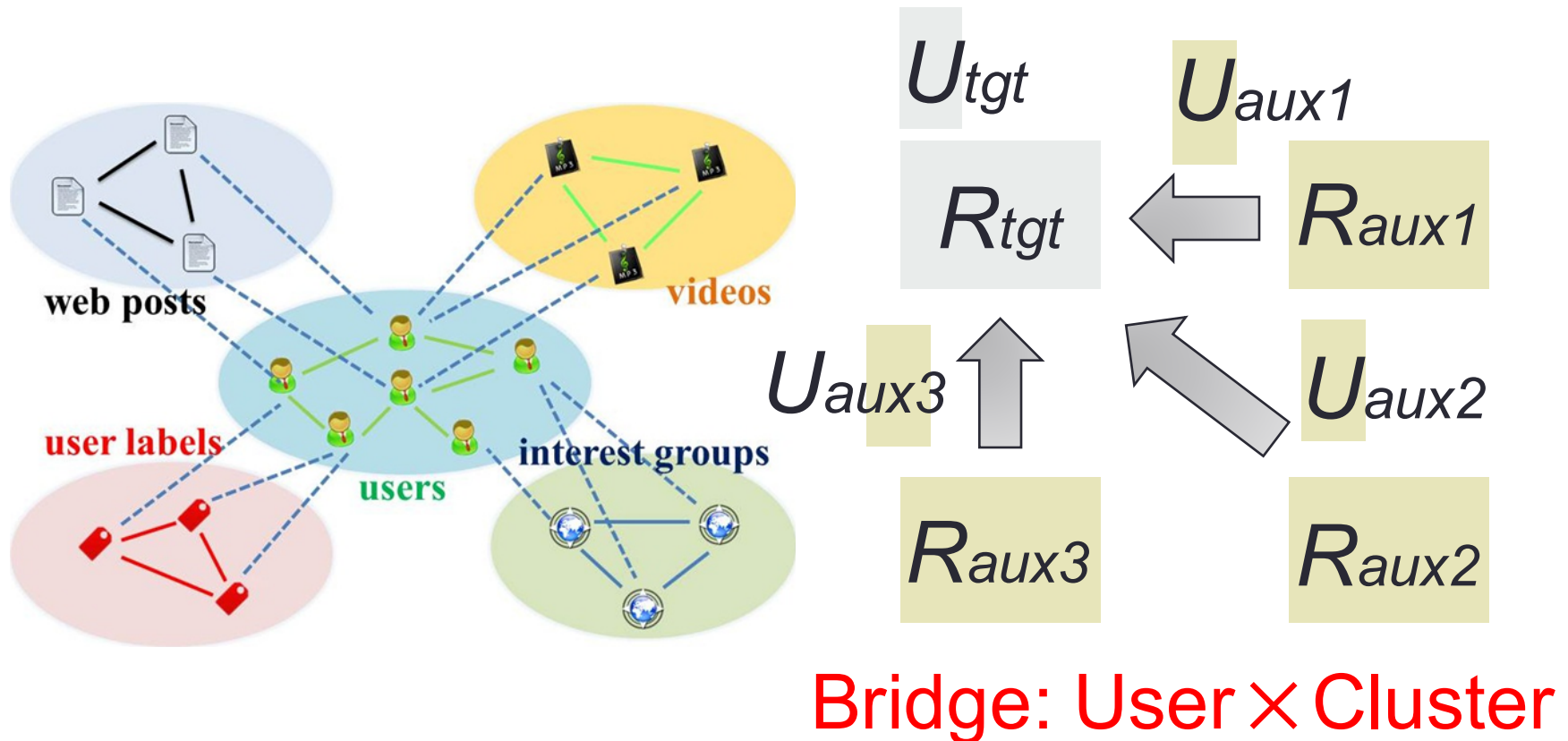
$$[\hat{U}_{tgt}^{(1)}]_{*r} \leftarrow [\hat{U}_{tgt}^{(1)}]_{*r} \circledast \frac{[A_{(1)} S_{(1)}^T]_{*r} + \lambda F^{(r)} [\hat{U}_{tgt}^{(1)}]_{*r}}{[\hat{U}_{tgt}^{(1)} S_{(1)} S_{(1)}^T]_{*r} + \lambda D^{(r)} [\hat{U}_{tgt}^{(1)}]_{*r}}$$

*Gradient
Descent
Methods*

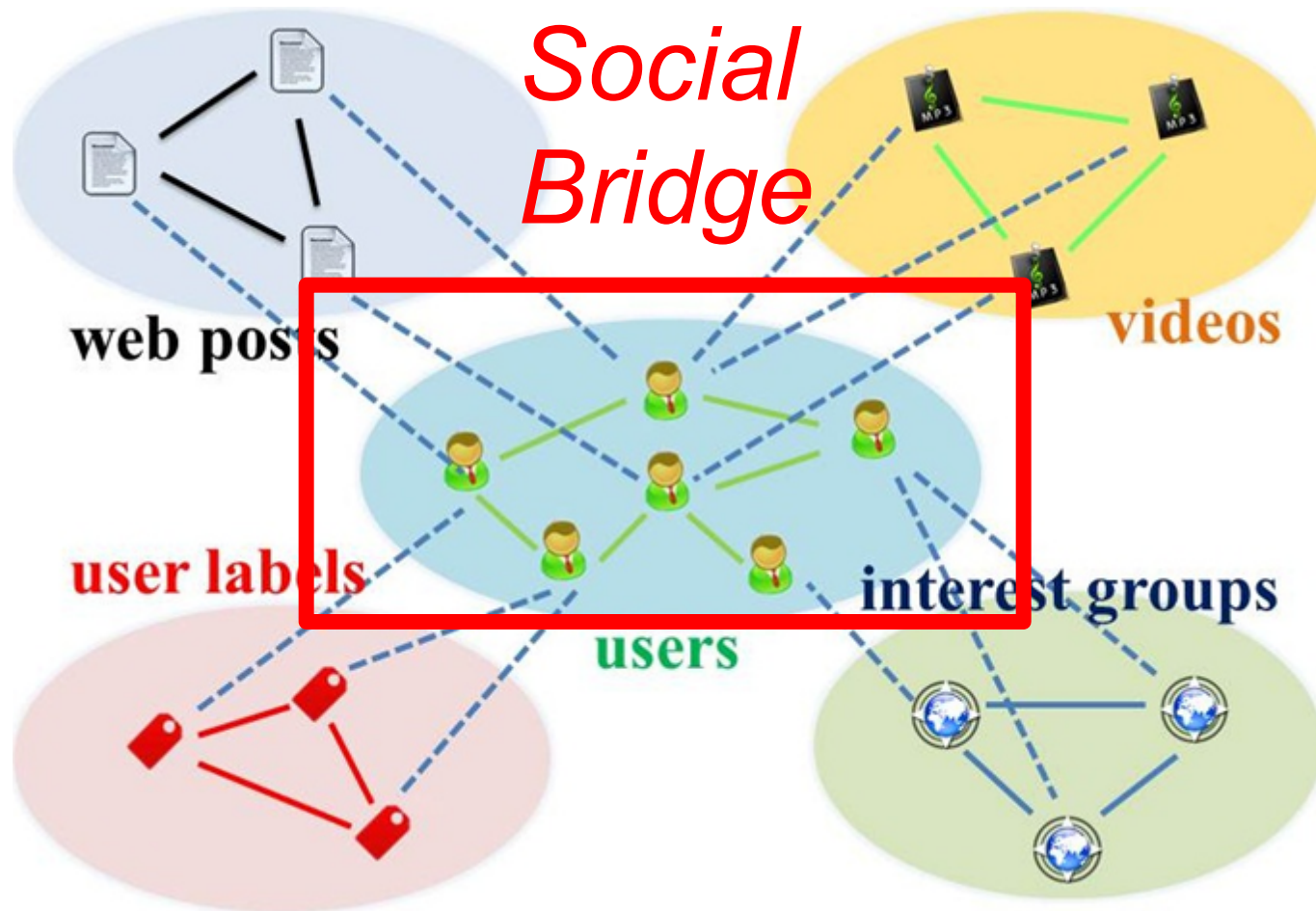
$$\hat{U}_{tgt}^{(2)} \leftarrow \hat{U}_{tgt}^{(2)} \circledast \frac{A_{(2)} S_{(2)}^T}{\hat{U}_{tgt}^{(2)} S_{(2)} S_{(2)}^T}$$

$$\hat{U}_{tgt}^{(3)} \leftarrow \hat{U}_{tgt}^{(3)} \circledast \frac{A_{(3)} S_{(3)}^T}{\hat{U}_{tgt}^{(3)} S_{(3)} S_{(3)}^T}$$

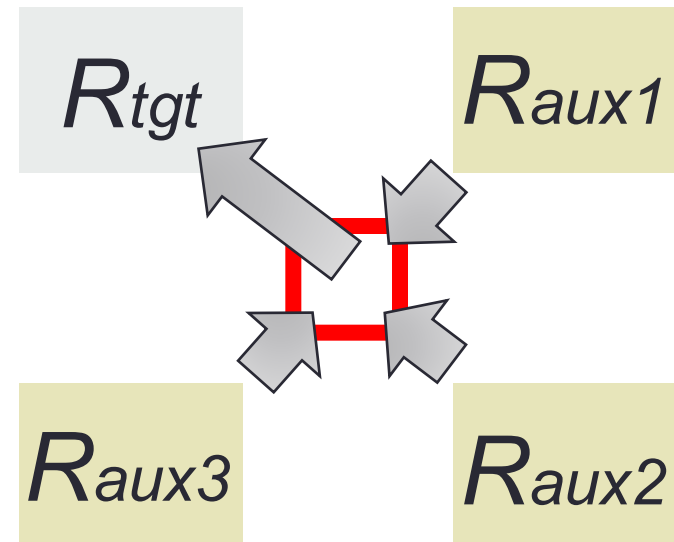
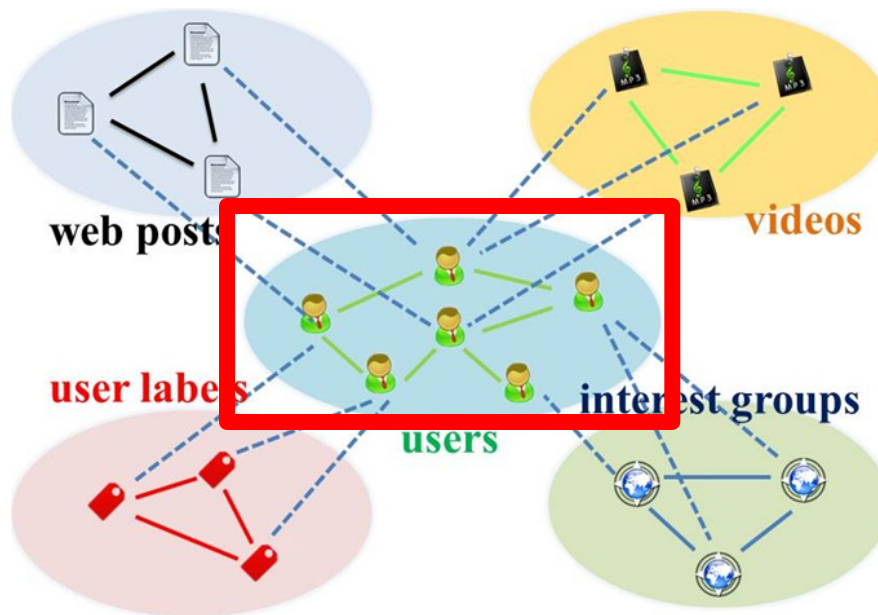
When Social Recommendation Meets Multiple Domains



When Social Recommendation Meets Multiple Domains



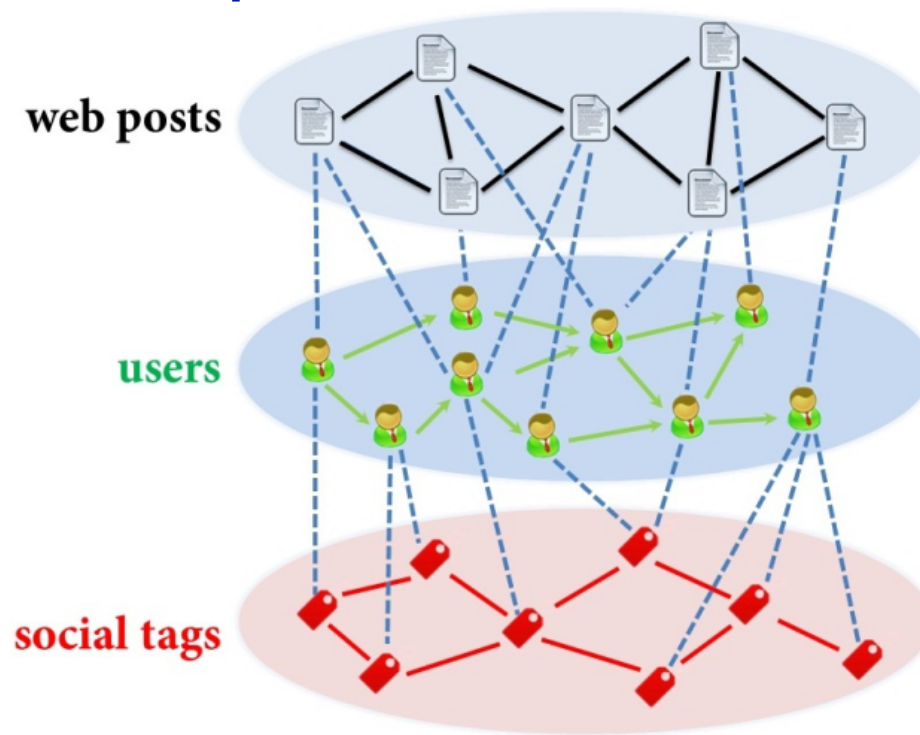
When Social Recommendation Meets Multiple Domains



Bridge: User $\times$ User

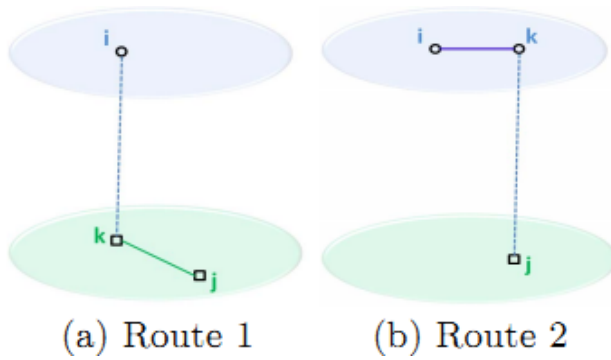
Hybrid Random Walk

❖ Starting with a Second-Order Start-Structured Graph



Hybrid Random Walk

❖ Updating cross-domain links



$$p_{ij}^{(\mathcal{UP})+} = \delta \sum_{u_k \in \mathcal{U}} r_{ik}^{(u)} p_{kj}^{(\mathcal{UP})+} + (1 - \delta) \sum_{p_k \in \mathcal{P}} p_{ik}^{(\mathcal{UP})+} r_{kj}^{(\mathcal{P})}$$

$$p_{ij}^{(\mathcal{UP})-} = \delta \sum_{u_k \in \mathcal{U}} r_{ik}^{(u)} p_{kj}^{(\mathcal{UP})-} + (1 - \delta) \sum_{p_k \in \mathcal{P}} p_{ik}^{(\mathcal{UP})-} r_{kj}^{(\mathcal{P})}$$

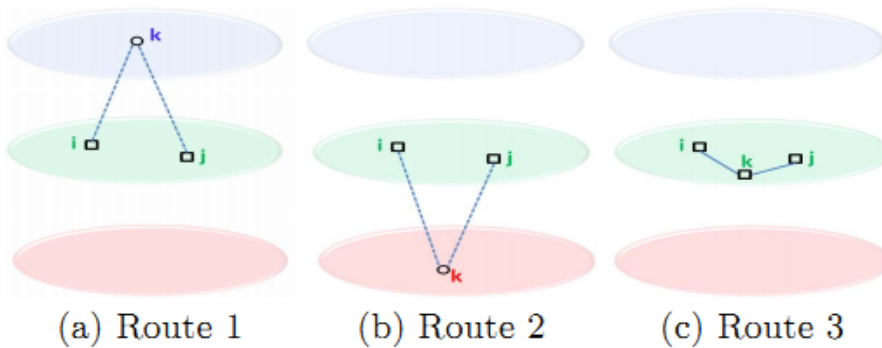
$$p_{ij}^{(\mathcal{UT})+} = \eta \sum_{u_k \in \mathcal{U}} r_{ik}^{(u)} p_{kj}^{(\mathcal{UT})+} + (1 - \eta) \sum_{t_k \in \mathcal{T}} p_{ik}^{(\mathcal{UT})+} r_{kj}^{(\mathcal{T})}$$

$$\mathbf{P}^{(\mathcal{UP})+}(t+1) = \delta \mathbf{R}^{(\mathcal{U})}(t) \mathbf{P}^{(\mathcal{UP})+}(t) + (1 - \delta) \mathbf{P}^{(\mathcal{UP})+}(t) \mathbf{R}^{(\mathcal{P})}$$

$$\mathbf{P}^{(\mathcal{UP})-}(t+1) = \delta \mathbf{R}^{(\mathcal{U})}(t) \mathbf{P}^{(\mathcal{UP})-}(t) + (1 - \delta) \mathbf{P}^{(\mathcal{UP})-}(t) \mathbf{R}^{(\mathcal{P})}$$

$$\mathbf{P}^{(\mathcal{UT})+}(t+1) = \eta \mathbf{R}^{(\mathcal{U})}(t) \mathbf{P}^{(\mathcal{UT})+}(t) + (1 - \eta) \mathbf{P}^{(\mathcal{UT})+}(t) \mathbf{R}^{(\mathcal{T})}$$

❖ Updating within-domain links



$$r_{ij}^{(u)} = \tau^{(\mathcal{P})} \left(\mu \sum_{p_k \in \mathcal{P}} p_{ik}^{(\mathcal{UP})+} p_{jk}^{(\mathcal{UP})+} + (1 - \mu) \sum_{p_k \in \mathcal{P}} p_{ik}^{(\mathcal{UP})-} p_{jk}^{(\mathcal{UP})-} \right) + \tau^{(\mathcal{T})} \sum_{t_k \in \mathcal{T}} p_{ik}^{(\mathcal{UT})+} p_{jk}^{(\mathcal{UT})+} + \tau^{(\mathcal{U})} \sum_{u_k \in \mathcal{U}} r_{ik}^{(u)} r_{kj}^{(u)} \quad (12)$$

$$\mathbf{R}^{(\mathcal{U})}(t+1) = \tau^{(\mathcal{P})} \left(\mu \mathbf{P}^{(\mathcal{UP})+}(t) \mathbf{P}^{(\mathcal{UP})+}(t)^T + (1 - \mu) \mathbf{P}^{(\mathcal{UP})-}(t) \mathbf{P}^{(\mathcal{UP})-}(t)^T \right) + \tau^{(\mathcal{T})} \mathbf{P}^{(\mathcal{UT})+}(t) \mathbf{P}^{(\mathcal{UT})+}(t)^T + \tau^{(\mathcal{U})} \mathbf{R}^{(\mathcal{U})}(t) \mathbf{R}^{(\mathcal{U})}(t)^T \quad (13)$$

Hybrid Random Walk

❖ High-Order Star-Structured Graph

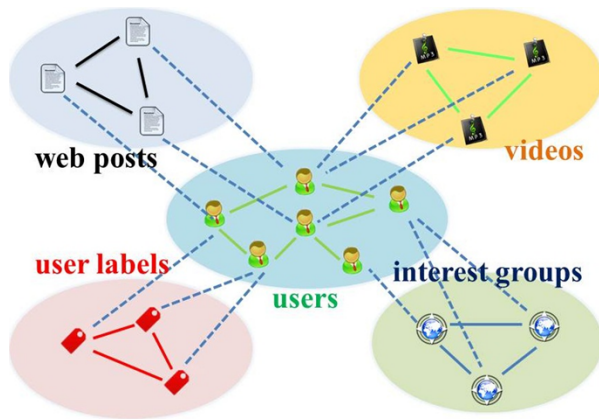
$$\mathbf{P}^{(\mathcal{UD}_i)^+}(t+1) = \delta_i \mathbf{R}^{(\mathcal{U})}(t) \mathbf{P}^{(\mathcal{UD}_i)^+}(t) + (1 - \delta_i) \mathbf{P}^{(\mathcal{UD}_i)^+}(t) \mathbf{R}^{(\mathcal{D}_i)}$$

$$\mathbf{P}^{(\mathcal{UD}_i)^-}(t+1) = \delta_i \mathbf{R}^{(\mathcal{U})}(t) \mathbf{P}^{(\mathcal{UD}_i)^-}(t) + (1 - \delta_i) \mathbf{P}^{(\mathcal{UD}_i)^-}(t) \mathbf{R}^{(\mathcal{D}_i)}$$

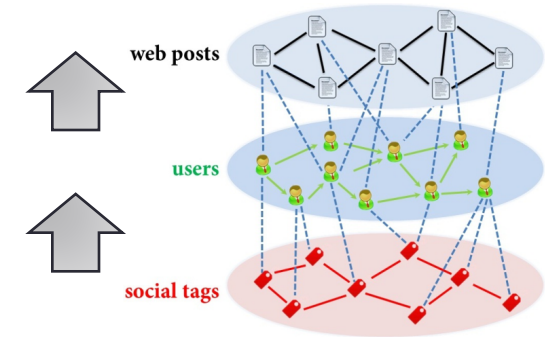
$$\mathbf{R}^{(\mathcal{U})}(t+1) = \sum_{\mathcal{D}_i \in \mathcal{D}} \tau_i \mu_i \mathbf{P}^{(\mathcal{UD}_i)^+}(t) \mathbf{P}^{(\mathcal{UD}_i)^+}(t)^T$$

$$+ \sum_{\mathcal{D}_i \in \mathcal{D}} \tau_i (1 - \mu_i) \mathbf{P}^{(\mathcal{UD}_i)^-}(t) \mathbf{P}^{(\mathcal{UD}_i)^-}(t)^T$$

$$+ \tau^{(\mathcal{U})} \mathbf{R}^{(\mathcal{U})}(t) \mathbf{R}^{(\mathcal{U})}(t)^T \quad (20)$$



Hybrid Random Walk



Comparing with Random Walk with Restarts Models

Algorithm	MAE	Precision	Recall	F1	Kendall's $\hat{\tau}$
HRW	$0.227 \pm 1.5e-3$	$0.711 \pm 1.3e-3$	$0.921 \pm 1.4e-3$	$0.802 \pm 1.1e-3$	$0.792 \pm 2.5e-3$
BRW- R_U -P (TrustWalker)	$0.276 \pm 1.1e-3$	$0.657 \pm 7.6e-4$	$0.935 \pm 9.8e-4$	$0.772 \pm 7.6e-4$	$0.774 \pm 1.6e-3$
BRW- R_U	$0.282 \pm 5.3e-3$	$0.655 \pm 4.0e-3$	$0.921 \pm 1.2e-2$	$0.765 \pm 7.7e-3$	$0.725 \pm 2.8e-3$
BRW- W_U -P	$0.292 \pm 1.1e-3$	$0.666 \pm 7.0e-4$	$0.900 \pm 5.2e-4$	$0.765 \pm 6.6e-4$	$0.725 \pm 8.5e-4$
BRW- W_U (ItemRank)	$0.318 \pm 1.4e-3$	$0.671 \pm 1.5e-3$	$0.713 \pm 2.4e-3$	$0.691 \pm 1.2e-3$	$0.661 \pm 2.2e-3$
BRW-P	$0.438 \pm 2.6e-4$	$0.571 \pm 3.4e-4$	$0.499 \pm 4.2e-4$	$0.532 \pm 3.2e-4$	$0.606 \pm 2.3e-4$

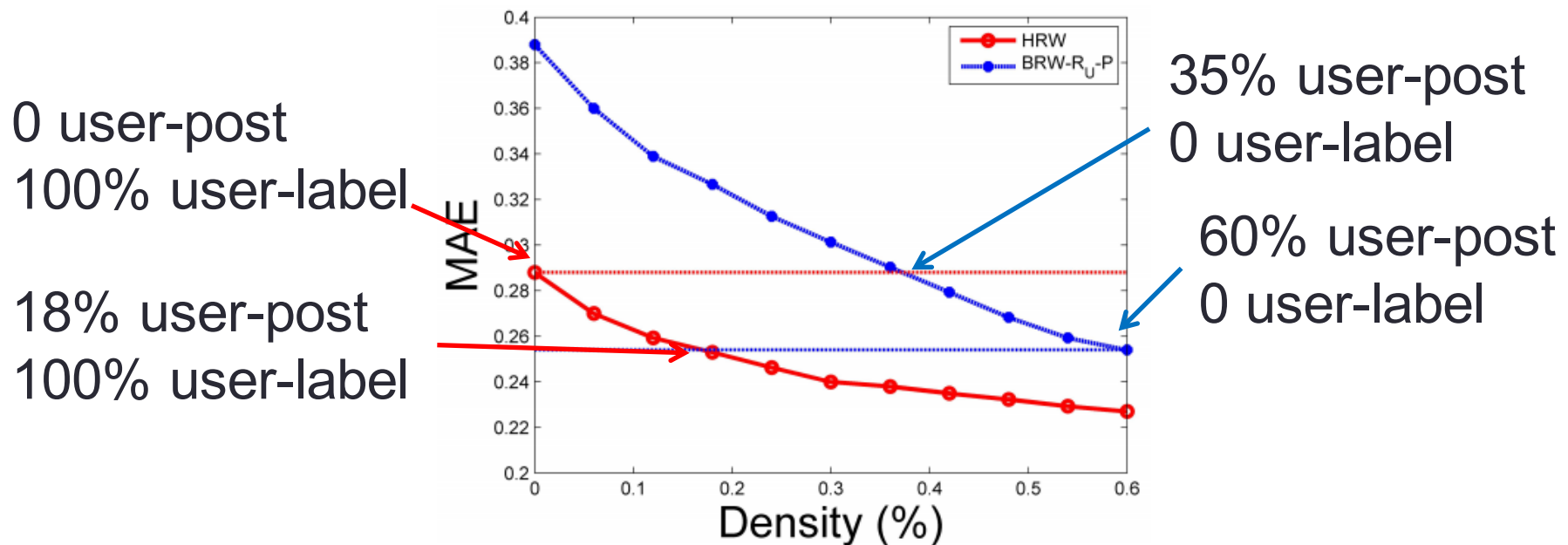
Comparing with Social Recommendation Baselines

Algorithm	MAE	Precision	Recall	F1	Kendall's $\hat{\tau}$
HRW	$0.227 \pm 1.5e-3$	$0.711 \pm 1.3e-3$	$0.921 \pm 1.4e-3$	$0.802 \pm 1.1e-3$	$0.792 \pm 2.5e-3$
BRW- R_U -P (TrustWalker) [10]	$0.276 \pm 1.1e-3$	$0.657 \pm 7.6e-4$	$0.935 \pm 9.8e-4$	$0.772 \pm 7.6e-4$	$0.774 \pm 1.6e-3$
BRW- W_U (ItemRank) [8]	$0.318 \pm 1.4e-3$	$0.671 \pm 1.5e-3$	$0.713 \pm 2.4e-3$	$0.691 \pm 1.2e-3$	$0.661 \pm 2.2e-3$
MCF [5]	$0.352 \pm 2.3e-4$	$0.592 \pm 1.8e-3$	$0.951 \pm 6.0e-4$	$0.730 \pm 1.3e-3$	$0.582 \pm 4.3e-4$
CF [22]	$0.506 \pm 3.4e-4$	$0.552 \pm 1.5e-3$	$0.589 \pm 7.2e-4$	$0.570 \pm 1.0e-3$	$0.540 \pm 5.2e-4$

Jiang et al. Social Recommendation across Multiple Relational Domains. *CIKM*, 2012. Social Recommendation with Cross-Domain Transferable Knowledge. *TKDE*, 2015.

Hybrid Random Walk

- ❖ Knowledge transfer from auxiliary domains improves cold-start users' behavior prediction
 - ❖ Using aux. (label) data, saving **60-70%** tgt. (post) data



Besides Cross-Domain...

- ❖ How about Cross-Platform?
- ❖ Partially aligned/overlapped users!

Little is Much: Bridging Cross-Platform Behaviors through Overlapped Crowds

by M. Jiang, P. Cui, N. J. Yuan, X. Xie, S. Yang. AAAI Conference on Artificial Intelligence (AAAI) , 2016.

Questions for Modeling Individual Behavior

- ❖ What is individual behavior in social networks?
- ❖ Why should we study individual behavior?
- ❖ What are the state-of-the-art models?
 - ❖ Modeling behaviors and social relations
 - ❖ Modeling social contexts
 - ❖ Modeling spatiotemporal contexts
 - ❖ Modeling multiple domains in social networks

Summary for Modeling Individual Behavior

- ❖ Like, Reply, Share, Retweet, Favorite, Comment ...
- ❖ Pattern discovery, prediction and social recommendation
- ❖ Memory based social recommenders
 - ❖ TidalTrust, MoleTrust, TrustWalker
- ❖ Model based social recommenders
 - ❖ SoRec, “Social Trust” Ensemble, SoReg
- ❖ ContextMF: Social contexts (preference & influence)
- ❖ FEMA: Spatiotemporal contexts (multi-faceted & dynamic)
- ❖ Traditional cross-domain CF
 - ❖ CBT, CST, FUSE
- ❖ Hybrid Random Walk: Social bridging multiple domains